第九章 气体动力循环

Gas power cycles

- 9-1 分析动力循环的一般方法
- 9-2 活塞式内燃机实际循环的简化
- 9-3 活塞式内燃机的理想循环
- 9-4 活塞式内燃机个正理想循环的热力学比较
- 9-5 燃气轮机装置循环
- 9-6 燃气轮机装置定压加热实际循环
- 9-7 提高燃气轮机装置热效率的热力学措施
- 9-8 喷气发动机简介





9-1 分析动力循环的一般方法

一、分析动力循环的目的

在热力学基本定律的基础上分析循环能量转化的经济性,寻求提高经济性的方向及途径。

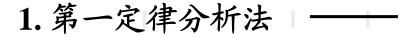
- 二、分析动力循环的一般步骤
- 1. 实际循环(复杂不可逆) 抽象、简化 可逆理论循环
- 分析可逆循环

→ 影响经济性的主要因素和可能改进途径

指导改善 实际循环

2. 分析实际循环与理论循环的偏离程度, 找出实际 损失的部位、大小、原因及改进办法

三、分析动力循环的方法



以第一定律为基础,以能 量的数量守恒为立足点。

2. 第二定律分析法

综合第一定律和第二定律 从能量的数量和质量分析。



熵产 —— 作功能力损失 熵分析法



分析法

损 火用 火用

效率







四、内部热效率 η_i (internal thermal efficiency)

——不可逆过程中实际作功量和循环加热量之比

其中

$$\eta_{\rm i} = \frac{w_{\rm net,act}}{q_{\rm i}} = \frac{\eta_{\rm T} w_{\rm net}}{q_{\rm i}} = \eta_{\rm T} \eta_{\rm t}$$

$$\eta_{\rm t} = \frac{w_{
m net}}{q_{
m l}}$$

与实际循环相当的内可逆循环的热效率

$$\eta_{\mathrm{T}} = \frac{W_{\mathrm{net,act}}}{W_{\mathrm{net}}}$$

相对内部效率(internal engine efficiency) 反映内部摩擦引起的损失

五、空气标准假设(the air-standard hypothesis)

- 气体动力循环中工作流体 →理想气体 → 空气 → 定比热
 - ●燃烧和排气过程 —— 吸热和放热过程
- ■●燃料燃烧造成各部分气体成分及质量改变忽略不计

9-2 活塞式内燃机实际循环的简化

- 一、活塞式内燃机(internal combustion engine)简介
- 1. 分类:

按燃料: 煤气机(gas engine)

汽油机(gasoline engine; petrol engine)

柴油机(diesel engine)

按点火方式: 点燃式(spark ignition engine)

压燃式(compression ignition engine)

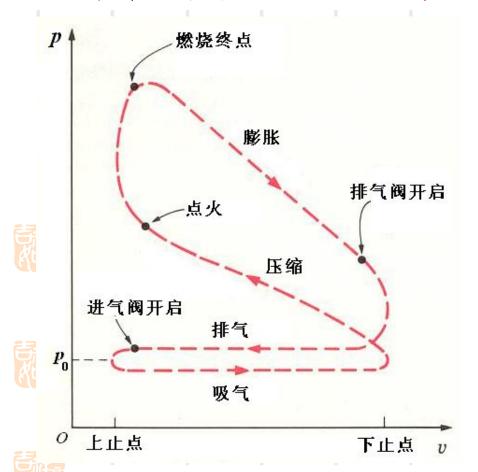
按冲程: 二冲程(two-stroke)

四冲程(four-stroke)

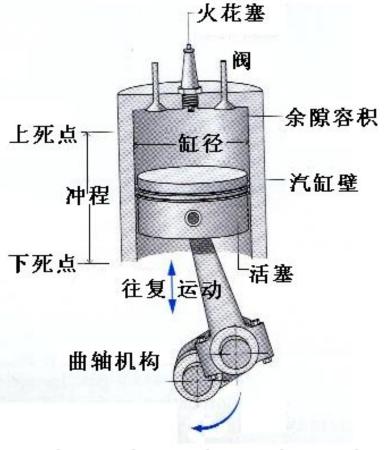
2. 活塞式内燃机循环特点

开式循环(open cycle);

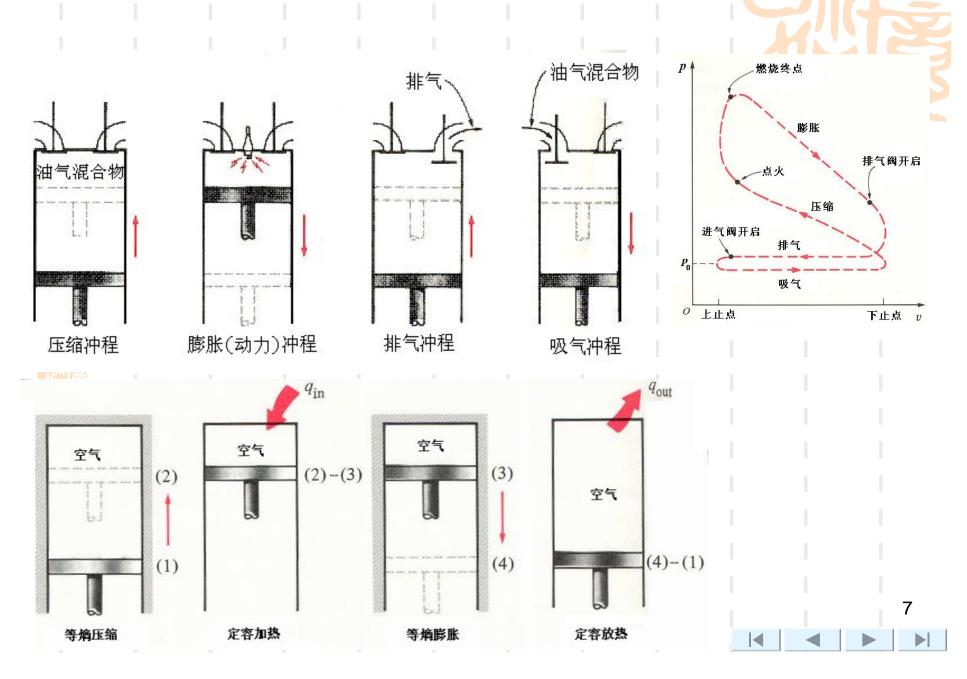
燃烧、传热、排气、膨胀、压缩均为不可逆;各环节中工质质量、成分稍有变化。







二、活塞式内燃机循环的简化



三、平均有效压力(mean effective pressure)

$$p_{ ext{MEP}} = rac{W_{ ext{net}}}{V_{ ext{h}}}$$



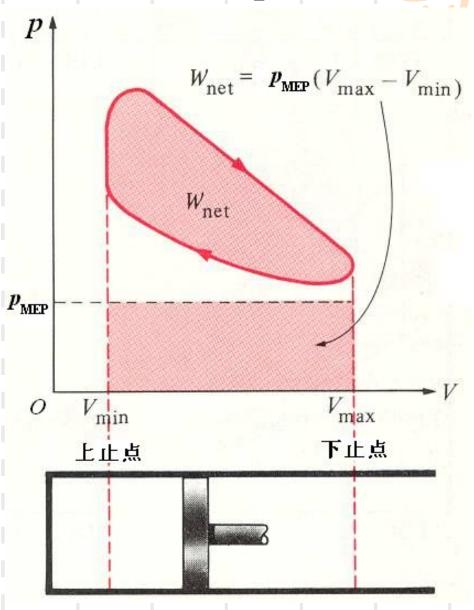








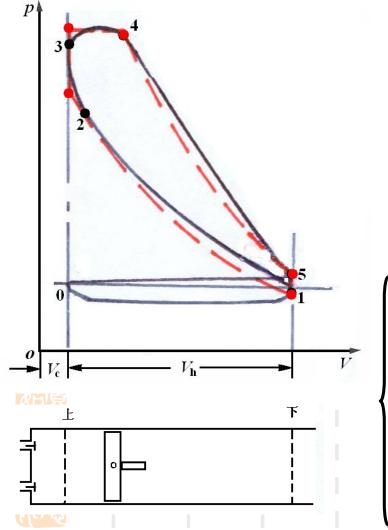




9-3 活塞式内燃机的理想循环

一、混合加热理想循环

(dual combustion cycle)



1→2 压缩

2→3 喷油、燃烧

3→4 燃烧

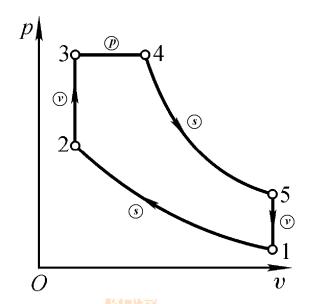
4→5 膨胀作功

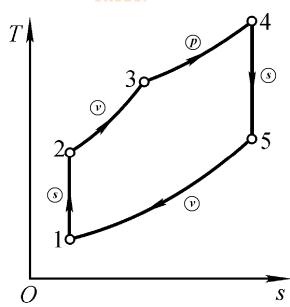
5→0 排气

简化: 引用空气标准假设

燃烧→2-3等容吸热+3-4定压吸热排气→5-1等容放热 据缩、膨胀→1-2及4-5等熵过程 吸、排气线→重合、忽略 燃油质量→忽略 燃气成分改变→忽略

1. p-v图及T-s图





1→2 等熵压缩; 2→3 等容吸热;

3→4 定压吸热; 4→5 等熵膨胀;

5→1 定容放热

特性参数:

压缩比(compression ratio)

$$\varepsilon = \frac{v_1}{v_2}$$

定容增压比(pressure ratio)

$$\lambda = \frac{p_3}{p_2}$$

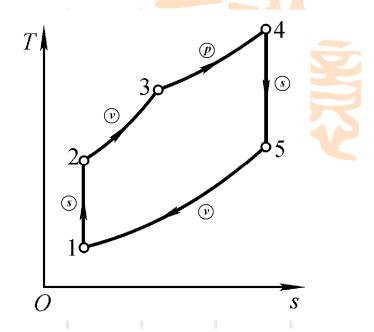
定压预胀比 (cutoff ratio)

$$\rho = \frac{v_4}{v_3}$$

2. 循环热效率

$$\eta_{\rm t} = \frac{w_{\rm net}}{q_{\rm l}}$$

$$w_{\text{net}} = w_{1-2} + w_{2-3} + w_{3-4} + w_{4-5} + w_{5-1}$$
$$= w_{1-2} + w_{3-4} + w_{4-5}$$



$$= \frac{R_{g}}{\kappa - 1} T_{1} \left[1 - \left(\frac{p_{2}}{p_{1}} \right)^{\frac{\kappa - 1}{\kappa}} \right] + p_{3} \left(v_{4} - v_{3} \right) + \frac{R_{g}}{\kappa - 1} T_{4} \left[1 - \left(\frac{p_{5}}{p_{4}} \right)^{\frac{\kappa - 1}{\kappa}} \right]$$



$$w_{\text{net}} = q_{\text{net}} = q_1 - q_2$$

$$q_1 = q_{2-3} + q_{3-4} = c_V (T_3 - T_2) + c_p (T_4 - T_3)$$



$$q_2 = q_{5-1} = c_V (T_5 - T_1)$$

$$\eta_{t} = 1 - \frac{q_{2}}{q_{1}} = 1 - \frac{T_{5} - T_{1}}{(T_{3} - T_{2}) + \kappa (T_{4} - T_{3})}$$

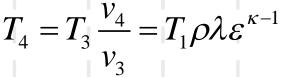


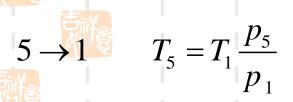
利用 & み p 表示

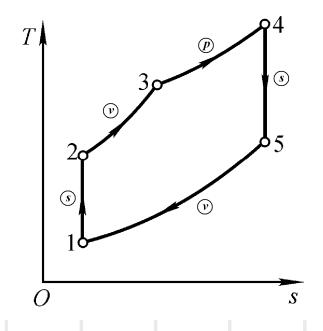
$$1 \to 2 \qquad T_2 = T_1 \left(\frac{v_1}{v_2}\right)^{\kappa - 1} = T_1 \varepsilon^{\kappa - 1}$$

$$2 \rightarrow 3 \qquad T_3 = T_2 \frac{p_3}{p_2} = T_1 \lambda \varepsilon^{\kappa - 1}$$

$$3 \to 4 \qquad T_4 = T_3 \frac{v_4}{v_3} = T_1 \rho \lambda \varepsilon^{\kappa - 1}$$







求
$$p_5$$
 p_1

$$p_1 v_1^{\kappa} = p_2 v_2^{\kappa}; \quad p_5 v_5^{\kappa} = p_4 v_4^{\kappa}$$

$$p_4 = p_3$$
 $v_1 = v_5$ $v_2 = v_3$

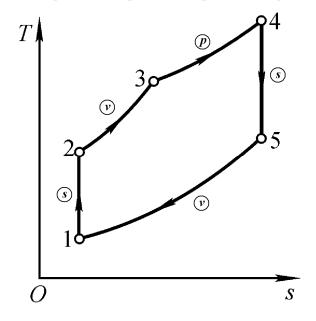
$$\frac{p_5}{p_1} = \frac{p_4}{p_2} \left(\frac{v_4}{v_3}\right)^{\kappa} = \frac{p_3}{p_2} \left(\frac{v_4}{v_3}\right)^{\kappa} = \lambda \rho^{\kappa}$$

$$T_5 = T_1 \frac{p_5}{p_1} \qquad T_5 = T_1 \lambda \rho^{\kappa}$$

把 T_2 、 T_3 、 T_4 和 T_5 代入

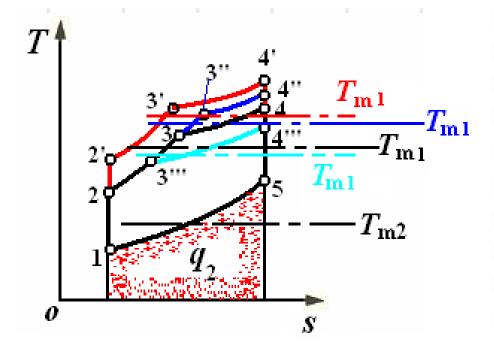
$$\eta_{t} = 1 \frac{T_{5} - T_{1}}{(T_{3} - T_{2}) + \kappa (T_{4} - T_{3})}$$

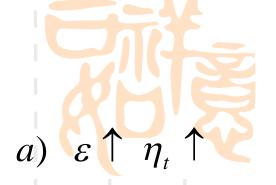
两式相除,考虑到



$$\eta_{t} = 1 - \frac{\lambda \rho^{\kappa} - 1}{\varepsilon^{\kappa - 1} \left[\left(\lambda - 1 \right) + \kappa \lambda \left(\rho - 1 \right) \right]}$$

讨论:





b)
$$\lambda \uparrow \eta_t \uparrow$$

c)
$$\rho \uparrow \eta_t \downarrow$$

归纳:

a.吸热前压缩气体,提高平均吸热温度是提高热效率的重要措施,是卡诺循环,第二定律对实际循环的指导。

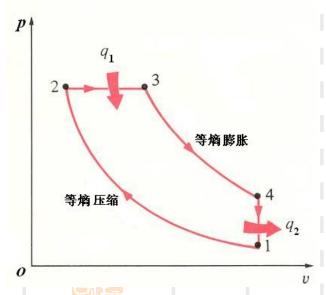
b.利用T-s图分析循环较方便。

c.同时考虑 q_1 和 q_2 或 T_{1m} 和 T_{2m} 平均。



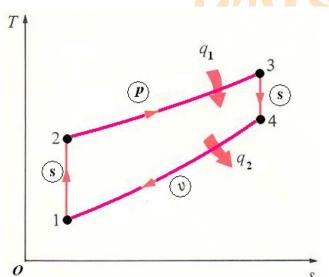
二、定压加热理想循环(Diesel cycle)

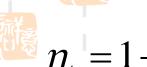




$$\varepsilon = \frac{v_1}{v_2}$$

$$\rho = \frac{v_3}{v_2}$$





$$\eta_{t} = 1 - \frac{q_2}{q_1}$$

$$q_2 = c_V (T_4 - T_1)$$

$$q_1 = c_p \left(T_3 - T_2 \right)$$

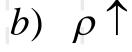
$$\eta_{t} = 1 - \frac{T_4 - T_1}{\kappa (T_3 - T_2)}$$

$$q_{2} = c_{V}(T_{4} - T_{1}) \qquad \eta_{t} = 1 - \frac{\kappa \rho - 1}{\varepsilon^{\kappa - 1} \left[(\lambda - 1) + \kappa \lambda (\rho - 1) \right]}$$

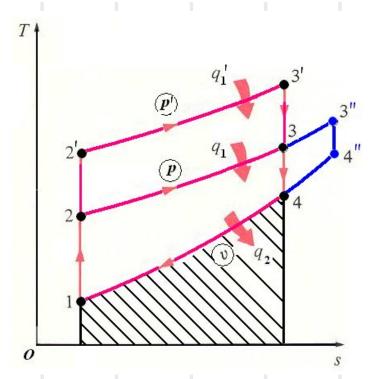
$$q_{1} = c_{p}(T_{3} - T_{2}) \qquad \lambda = 1 \Rightarrow \eta_{t} = 1 - \frac{\rho^{\kappa} - 1}{\kappa \varepsilon^{\kappa - 1} (\rho - 1)}$$

$$\lambda = 1 \Rightarrow \eta_{t} = 1 - \frac{\rho^{\kappa} - 1}{\kappa \varepsilon^{\kappa - 1} (\rho - 1)}$$

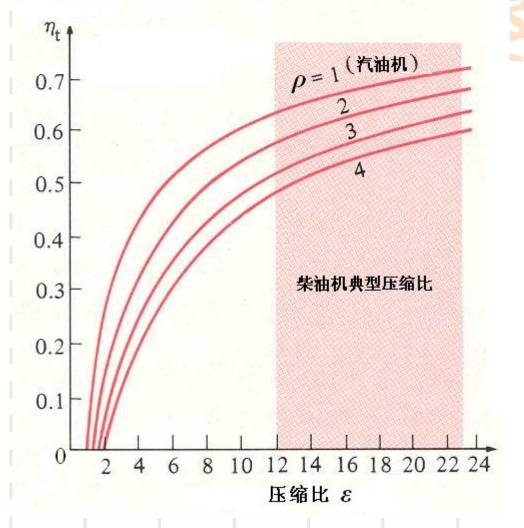






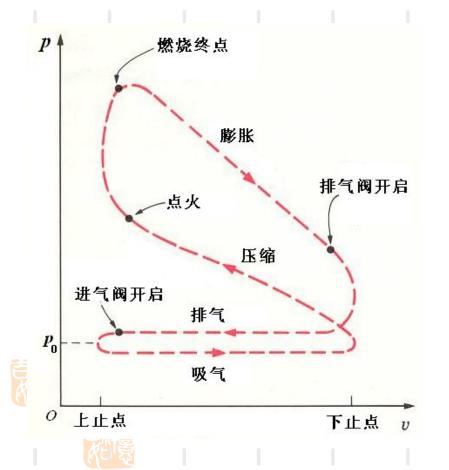


c) 重负荷 $(\rho\uparrow, q_1\uparrow)$ 时 内部热效率下降,除 ρ 个 外还有因温度上升而使 k→, 造成热效率下降





三、定容加热理想循环(Otto cycle)

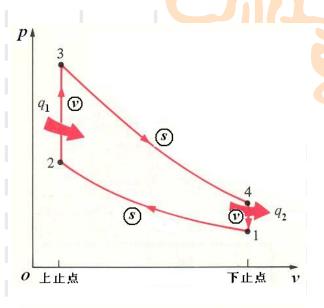


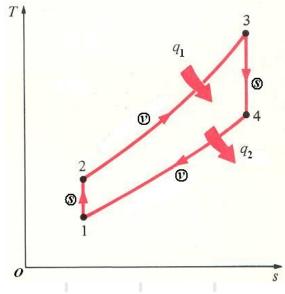


$$\varepsilon = \frac{v_1}{v_2}$$

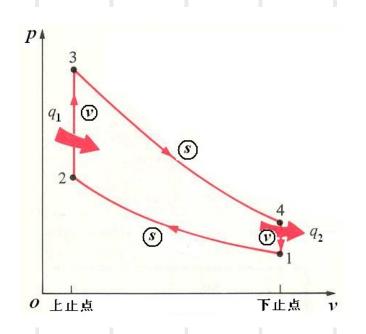
$$\lambda = \frac{p_3}{p_2}$$

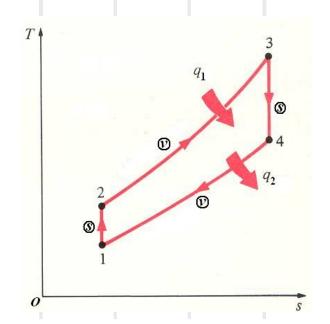


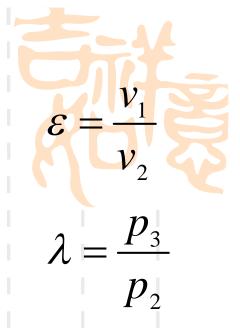




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$$q_1 = c_V (T_3 - T_2)$$

$$q_2 = c_V (T_4 - T_1)$$

$$\rho = 1 \Rightarrow \eta_t = 1$$

$$\rho = 1 \Rightarrow \eta_t = 1 - 1$$

$$\eta_t = 1 - \frac{q_2}{q_1} = 1 - \frac{T_4 - T_1}{T_3 - T_2}$$

$$-\frac{\lambda \rho^{\kappa} - 1}{\varepsilon^{\kappa - 1} \left[(\lambda - 1) + \kappa \lambda (\rho - 1) \right]} = 1 - \frac{1}{\varepsilon^{\kappa - 1}}$$





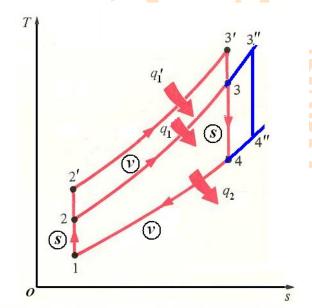


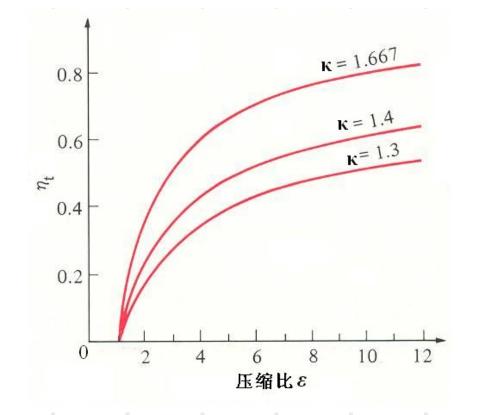
讨论:

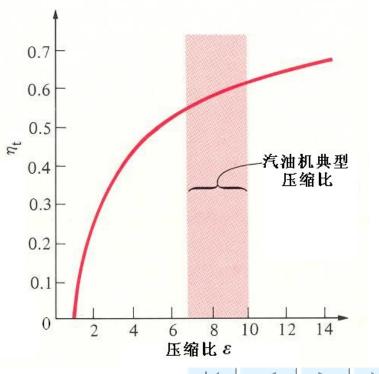
a) ε \uparrow η \uparrow

b) $\lambda\uparrow$; η_t 不变,但 $w_{\text{net}}\uparrow$

c) 重负荷 $(q_1 \uparrow)$ 时内部热效率下降,因温度上升使 $\kappa \downarrow$,造成热效率下降

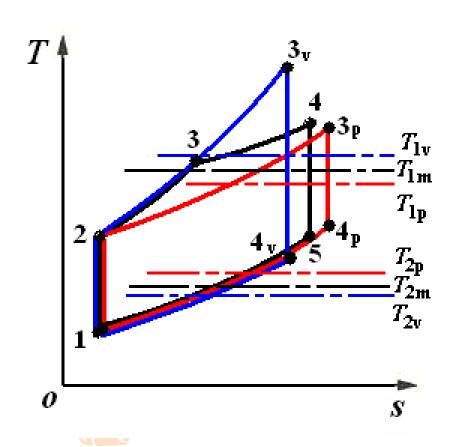






9-4 活塞式内燃机各种理想循环的热力学比较

一、压缩比相同,吸热量相同时的比较



$$q_{1v} = q_{1m} = q_{1p}$$

$$q_{2v} < q_{2m} < q_{2p}$$

$$\eta_{\scriptscriptstyle tv} > \eta_{\scriptscriptstyle tm} > \eta_{\scriptscriptstyle tp}$$

或

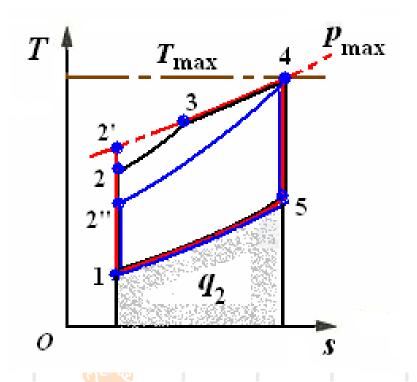
$$\overline{T}_{2v} < \overline{T}_{2m} < \overline{T}_{2p}$$

$$\overline{T}_{1v} > \overline{T}_{1m} > \overline{T}_{1p}$$





二、循环 p_{max} 、 T_{max} 相同时的比较



$$q_{2p} = q_{2m} = q_{2v}$$

$$q_{1p} > q_{2m} > q_{2v}$$

$$\eta_{\mathrm{t},p} > \eta_{\mathrm{t},m} > \eta_{\mathrm{t},v}$$

或

$$\overline{T}_{2p} = \overline{T}_{2m} = \overline{T}_{2v}$$

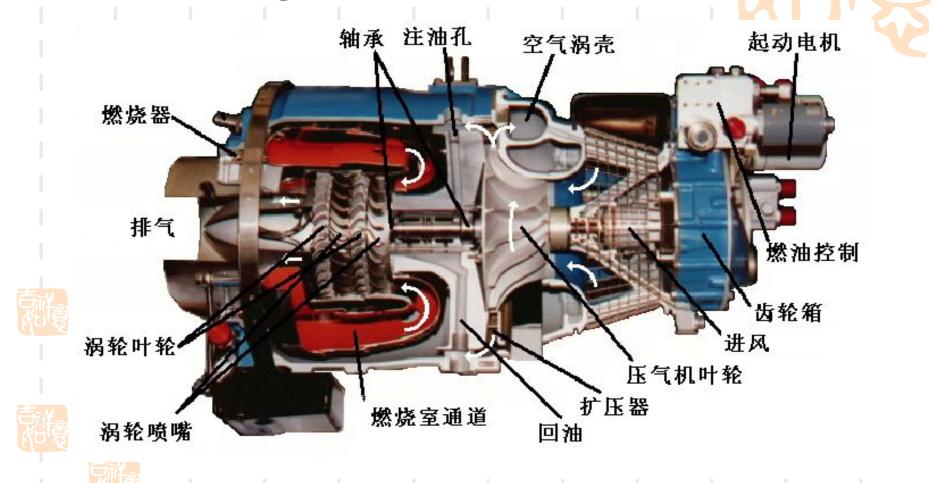
$$\overline{T}_{1p} > \overline{T}_{1m} > \overline{T}_{1v}$$

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例A447277

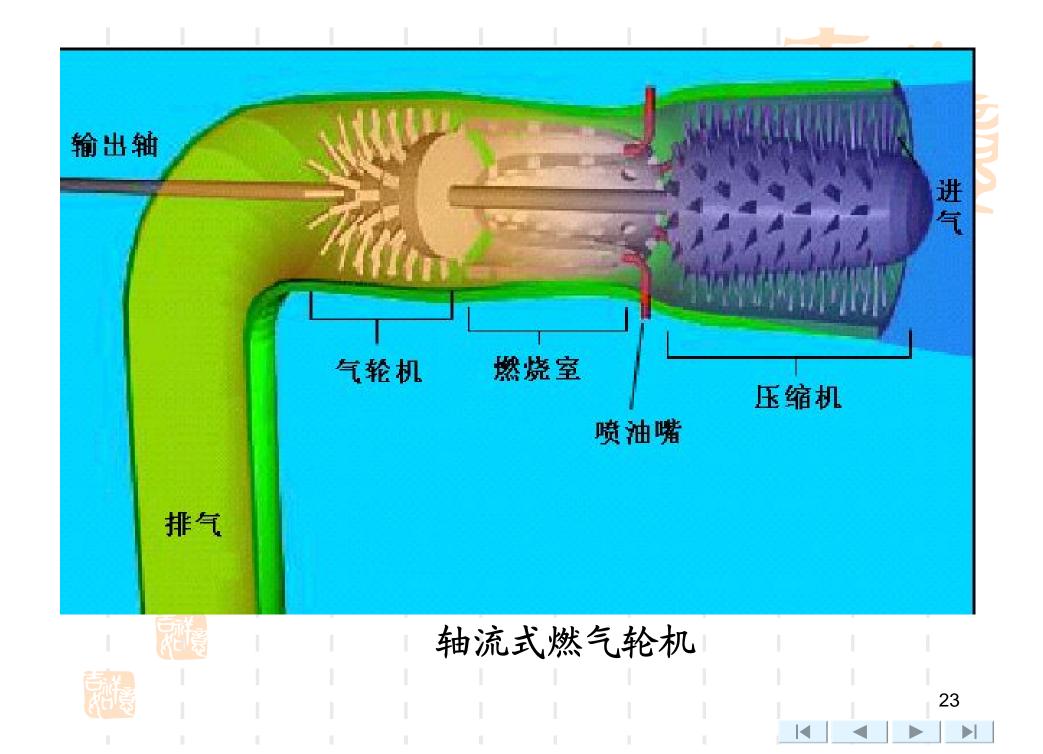
9-5 燃气轮机装置循环

一、燃气轮机(gas turbine)装置简介





小型燃气轮机





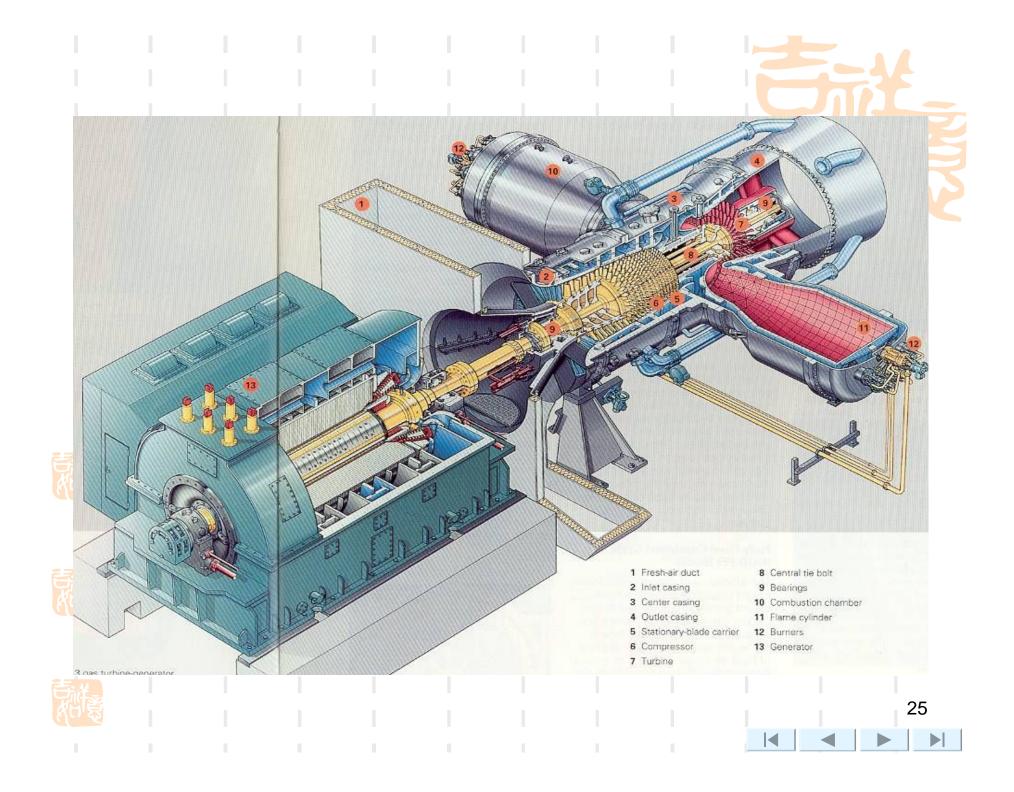


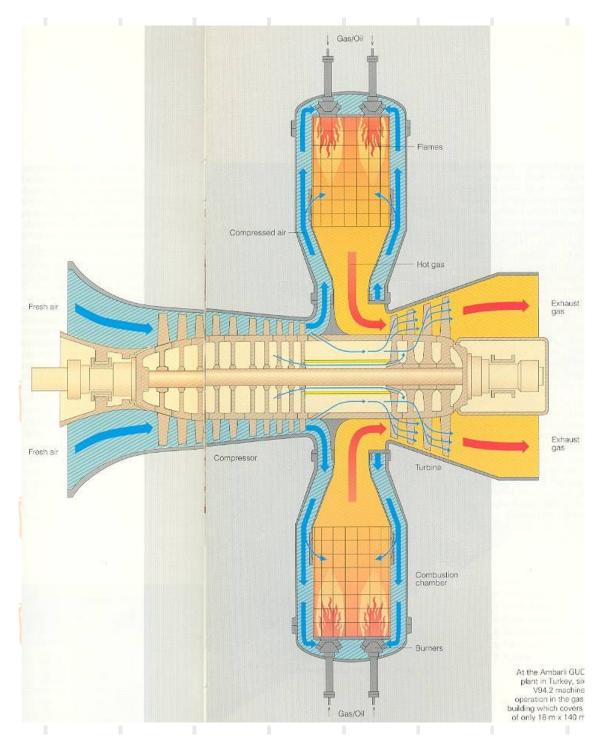






燃烧室













构成

压气机(compressor)

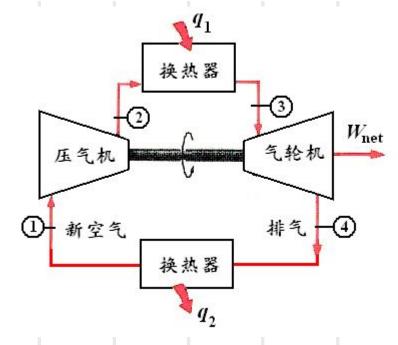
燃烧室(combustion chamber)

燃气轮机(gas turbine)

燃油 燃烧室 压气机 3 Wnet 1 新空气

特点

- 1.开式循环(open cycle),工质流动;
- 2.运转平稳,连续输出功;
- 3.启动快,达满负荷快;
- 4.压气机消耗了燃气轮机产生功率的绝大部分,但重量功率比
 - (specific weight of engine)仍较大。



用途

飞机、舰船的动力载荷机组,电站峰荷机组(peak-load set)等。27

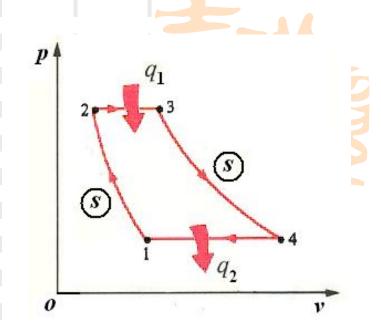
- 二、定压加热理想循环 (constant-pressure combustion cycle, Brayton cycle)
- 1-2 等熵压缩(压气机内) $\pi = \frac{p_2}{p_1}$

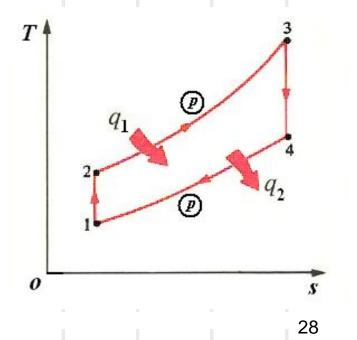
循环增压比(pressure ratio)

2-3 定压吸热(燃烧室内) $\tau = \frac{T_3}{T_2}$

循环增温比(temperature ratio)

- 3-4 等熵膨胀 (燃气轮机内)
- 4-1 定压放热(排气,假想换热器)





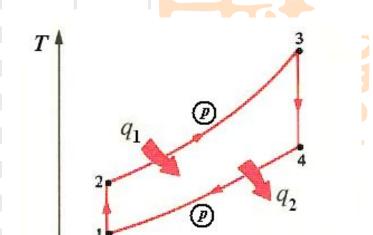
三、定压加热理想循环分析

1.热效率 η,

$$q_1 = h_3 - h_2 = c_{pm} \Big|_{t_2}^{t_3} (T_3 - T_2) = c_p (T_3 - T_2)$$

$$q_2 = h_4 - h_1 = c_{pm} \Big|_{t_1}^{t_4} (T_4 - T_1) = c_p (T_4 - T_1)$$

$$\eta_{t} = 1 - \frac{q_{2}}{q_{1}} = 1 - \frac{T_{4} - T_{1}}{T_{3} - T_{2}}$$



$$T_4 = T_3 \left(\frac{p_4}{p_3}\right)^{\frac{\kappa-1}{\kappa}}$$

$$T_1 = T_2 \left(\frac{p_1}{p_2}\right)^{\frac{\kappa - 1}{\kappa}}$$

$$\left.\begin{array}{c}T_4=T_3\left(\frac{p_4}{p_3}\right)\\ T_1=T_2\left(\frac{p_1}{p_2}\right)^{\frac{\kappa-1}{\kappa}}\end{array}\right\}\begin{array}{c}p_4=p_1\\ p_3=p_2\end{array}\Rightarrow \frac{T_4}{T_3}=\frac{T_1}{T_2}\Rightarrow \frac{T_4-T_1}{T_3-T_2}=\frac{T_1}{T_2}$$

$$\eta_{\rm t} = 1 - \frac{T_1}{T_2} = 1 - \frac{1}{\pi^{\frac{\kappa}{\kappa - 1}}}$$

注意: 式中
$$T_1$$
、 T_2 并非指高温热源,低温热源。

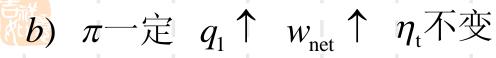


2.分析

$$\eta_{t} = 1 - \frac{T_{1}}{T_{2}} = 1 - \frac{1}{\pi^{\frac{\kappa}{\kappa - 1}}}$$

a)
$$\pi$$
 ↑ η_t ↑ η_t 与 T_3 无关?



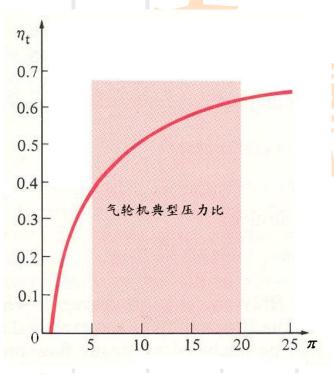


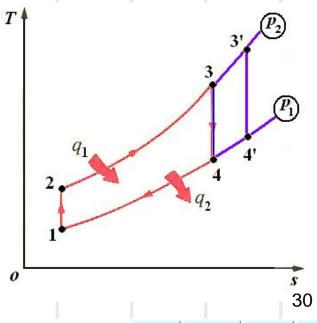












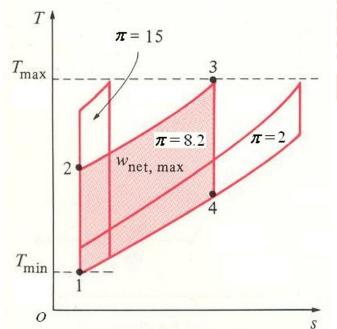


$$c)$$
 τ 一定, π 取某值 $w_{\text{net}} \to w_{\text{max}}$

$$w_{\text{net}} = q_1 - q_2$$

= $c_p [(T_3 - T_2) - (T_4 - T_1)]$

$$= c_{p} T_{1} \begin{bmatrix} \tau \begin{pmatrix} \frac{\kappa-1}{\kappa} & -1 \\ \frac{\kappa-1}{\kappa} & -1 \end{pmatrix} \\ \frac{\kappa-1}{\kappa} & -1 \end{bmatrix}$$





$$\frac{\delta w_{\text{net}}}{d\pi} = 0 \longrightarrow$$

$$\pi = \tau^{\frac{\kappa}{2(\kappa-1)}} \longrightarrow w_{\text{net}} \longrightarrow w_{\text{net,max}}$$

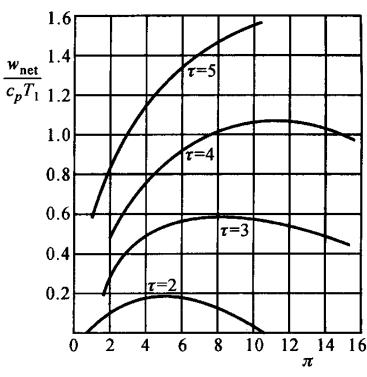


d) w_{net} 与 τ 及 π 的关系

可见:

- 1)对于每一τ,均有π, 其w→w_{net,max}
- 2) τ 上升,即 T_3 上升,使取得 $w_{\text{net,max}}$ 的 π 上升, η_{t} 上升,所以提高 T_3 能带动 $w_{\text{net,max}}$ 及 η_{t} 同时升高。



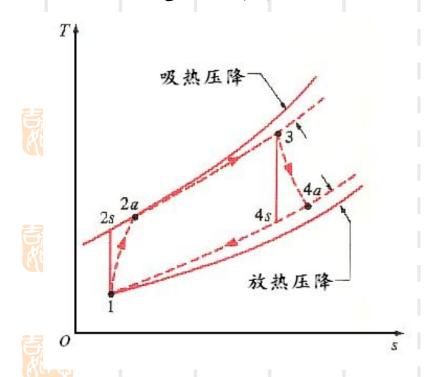


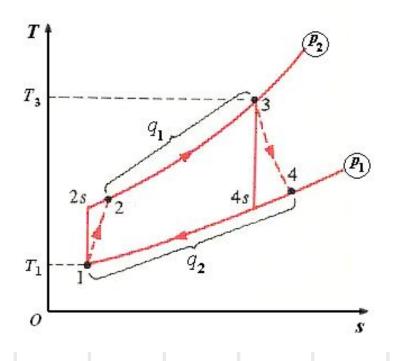


9-6 燃气轮机装置定压加热实际循环

一、定压加热的实际循环

- 1-2 不可逆绝热压缩;
- 2-3 定压吸热;
- 3-4 不可逆绝热膨胀;
- 4-1 定压放热。





压气机绝热效率(adiabatic compressor efficiency) 和燃气轮机相对内效率(adiabatic turbine efficiency)

$$\eta_{\text{C,s}} = \frac{w_{\text{C,s}}}{w_{\text{C}}'} = \frac{h_{2_{\text{s}}} - h_{1}}{h_{2} - h_{1}}$$

$$w_{\mathrm{C}}' = \frac{1}{\eta_{\mathrm{C,s}}} \left(h_{2_{\mathrm{s}}} - h_{1} \right)$$

$$w'_{\rm C} = \frac{1}{\eta_{\rm C,s}} (h_{2_{\rm s}} - h_{1})$$

$$h_{2} = h_{1} + \frac{1}{\eta_{\rm C,s}} (h_{2_{\rm s}} - h_{1})$$



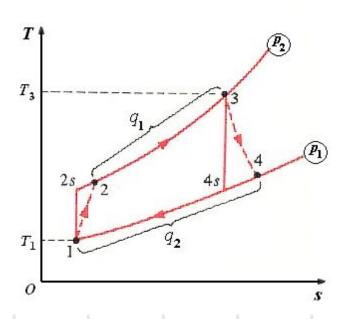
$$\eta_{\rm T} = \frac{w'_{\rm t,T}}{w_{\rm t,T}} = \frac{h_3 - h_4}{h_3 - h_{4_{\rm s}}}$$



$$w_{\mathrm{t,T}}' = \eta_{\mathrm{T}} \left(h_{3} - h_{4_{\mathrm{s}}} \right)$$



$$h_4 = h_3 - \eta_{\rm T} \left(h_3 - h_{4_{\rm s}} \right)$$

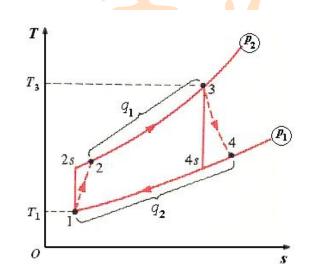




三、燃气轮机装置的内部热效率 (internal thermal efficiency) η_i

$$\eta_{\rm i} = \frac{w'_{\rm net}}{q'_{\rm 1}}$$

$$w'_{\text{net}} = w'_{\text{t,T}} - w'_{\text{C}} = \eta_{\text{T}} \left(h_3 - h_{4_s} \right) - \frac{1}{\eta_{\text{Cs}}} \left(h_{2_s} - h_1 \right)$$



$$q_1' = h_3 - h_2 = h_3 - h_1 - \frac{1}{\eta_{Cs}} (h_{2_s} - h_1)$$

整理





$$\eta_{
m i}$$

$$= \frac{\eta_{\rm T}(h_3 - h_{4_{\rm s}}) - \frac{1}{\eta_{\rm Cs}}(h_{2_{\rm s}} - h_1)}{1 + \frac{1}{\eta_{\rm Cs}}} = \frac{1}{\eta_{\rm Cs}}(h_{2_{\rm s}} - h_1)$$

$$h_3 - h_1 - \frac{1}{\eta_{Cs}} (h_{2_s} - h_1)$$

$$=\frac{\eta_{\mathrm{T}} \frac{\tau}{\frac{\kappa-1}{\kappa}} - \frac{1}{\eta_{\mathrm{Cs}}}}{\tau-1}$$

$$\frac{\tau-1}{\pi^{\frac{\kappa-1}{\kappa}}-1}-\frac{1}{\eta_{\text{Cs}}}$$

$$\eta_{i} = \frac{\eta_{T} (h_{3} - h_{4_{s}}) - \frac{1}{\eta_{Cs}} (h_{2_{s}} - h_{1})}{h_{3} - h_{1} - \frac{1}{\eta_{Cs}} (h_{2_{s}} - h_{1})} = \frac{\eta_{T} \frac{\tau}{\frac{\kappa - 1}{\kappa}} - \frac{1}{\eta_{Cs}}}{\frac{\tau - 1}{\pi} - \frac{1}{\eta_{Cs}}} - \frac{\eta_{Cs}}{\eta_{Cs}}$$

讨论:

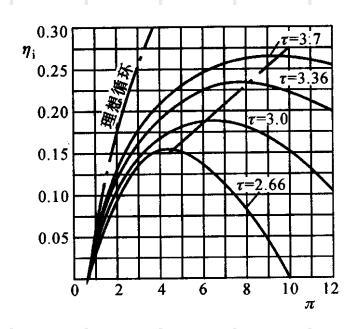
$$a)$$
除 π 、 τ 外 η_i 还与 η_{Cs} 、 η_{T} 有关

$$\eta_{\scriptscriptstyle
m T} \uparrow \eta_{\scriptscriptstyle
m Cs} \uparrow \Rightarrow \eta_{\scriptscriptstyle
m i} \uparrow$$

目前
$$\eta_{\mathrm{T}} = 0.85 \sim 0.92$$
, $\eta_{\mathrm{Cs}} = 0.85 \sim 0.90$

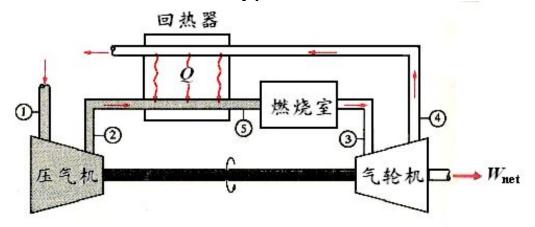
- (b) π 一定时, $\tau \uparrow, \eta_i \uparrow$
- c) $\pi \uparrow, \eta, \uparrow$ 但有极值





提高燃气轮机装置热效率的热力学措施

一、回热(regeneration)



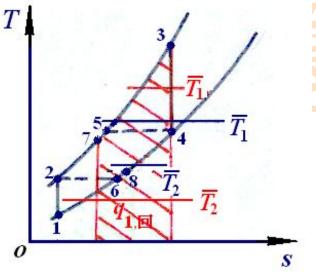
讨论

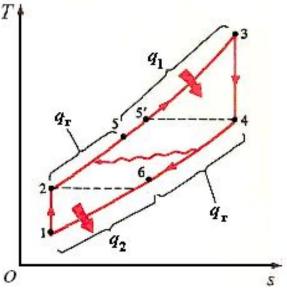
1)
$$q_{1\square} = c_p (T_3 - T_7)$$

$$q_{2P} = c_p \left(T_8 - T_1 \right)$$

$$\Rightarrow \eta_{\rm t,p} = 1 - \frac{q_{\rm 2p}}{q_{\rm 1p}} = 1 - \frac{T_{\rm 2p}}{T_{\rm 1p}} > \eta_{\rm t}$$

$$q_{1\square} = c_p \left(T_3 - T_5 \right)$$





2)极限回热
$$q_{1} = c_p(T_3 - T_5)$$
 $q_{2} = c_p(T_6 - T_1)$ 37





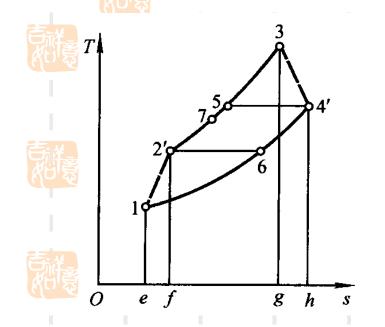


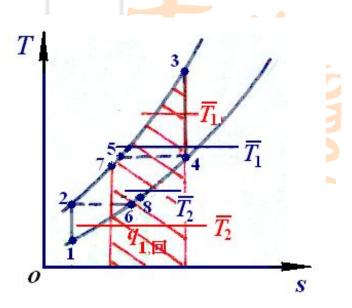
3) 回热度(regenerator effectiveness)

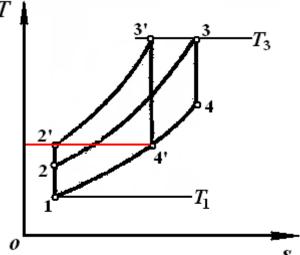
$$\sigma = \frac{\text{实际回热利用的热量}}{\text{理论上极限可利用的热量}}$$
$$= \frac{h_7 - h_2}{h_5 - h_2} = \frac{h_4 - h_8}{h_4 - h_6}$$

注意: π达一定值,回热不能进行。

4) 实际循环的回热





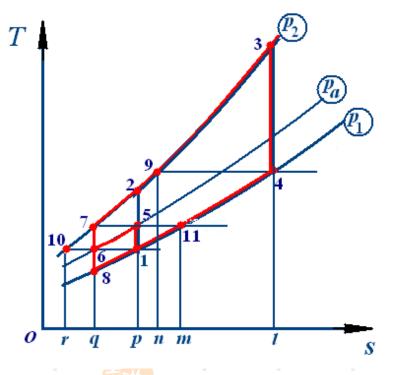


$$\sigma' = \frac{h_7 - h_{2'}}{h_5 - h_{2'}} = \frac{h_7 - h_{2'}}{h_{4'} - h_6}$$

二、回热基础上 分级压缩, 中间冷却

压气机耗功很大 分级压缩可降低压气机耗功 分级压缩, 中间冷却

(multistage compression, intervening cooling)



采用分级压缩,中间冷却后 $\eta_{\bullet}\uparrow$?

循环12341:
$$\eta_{t} = 1 - \frac{1}{\pi^{\frac{\kappa-1}{\kappa}}}$$

循环12341

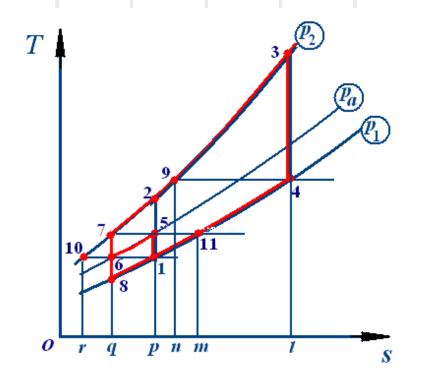
循环**67256:**
$$\eta_{t}' = 1 - \frac{1}{\pi_{1}^{\frac{\kappa-1}{\kappa}}} < \eta_{t}$$

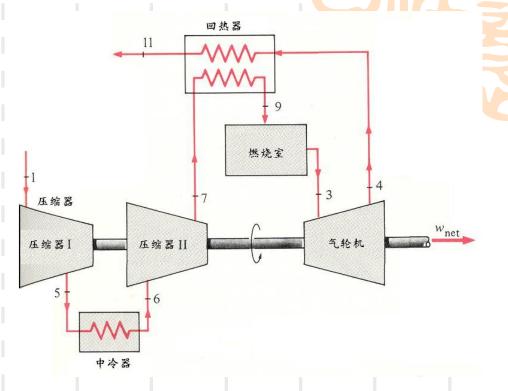




 $\therefore \eta_{\text{t}1567341} < \eta_{\text{t}12341}$

回热基础上分级压缩中间冷却













$$W_{\text{net},1567341} > W_{\text{net},12341}$$

$$q_{1,1567341} = q_{1,12341}$$

$$: \eta_{t,1567341} > \eta_{t,12341}$$



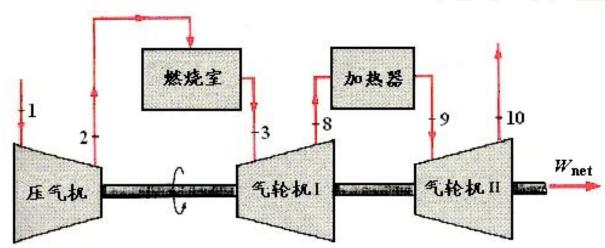
三、回热基础上分级膨胀,中间加热循环12389101=循环127101-循环37983



若无回热

$$\eta_{ ext{t,12341}} = \eta_{ ext{t,127101}}$$
 $\eta_{ ext{t,2389101}} < \eta_{ ext{t,127101}}$

$$\eta_{\rm t,2389101} < \eta_{\rm t,12341}$$

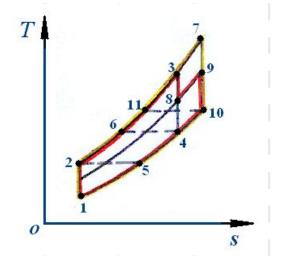


若回热

循环12389101与循环12341

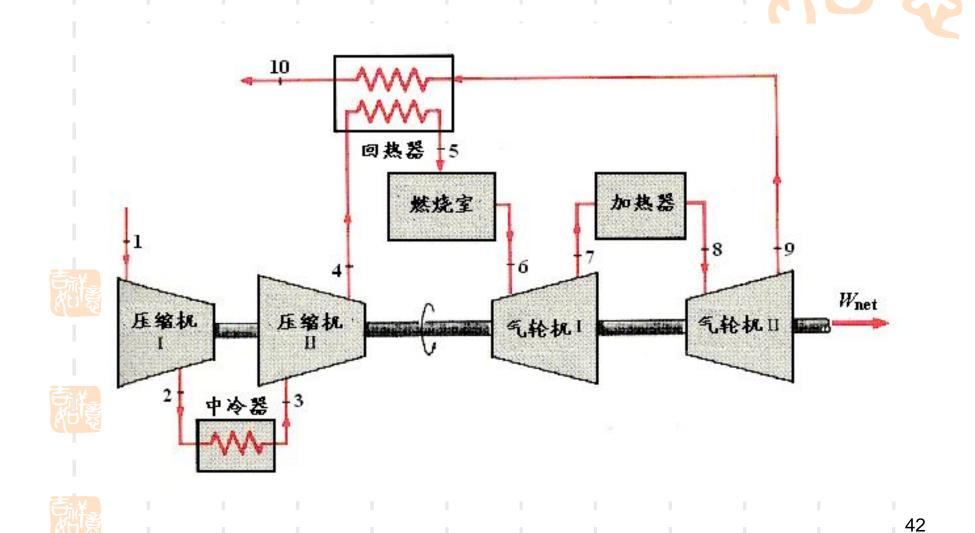
比较 T_{1m} 上升, T_{2m} 下降

$$\eta_{\rm t,12389101} > \eta_{\rm t,12341}$$

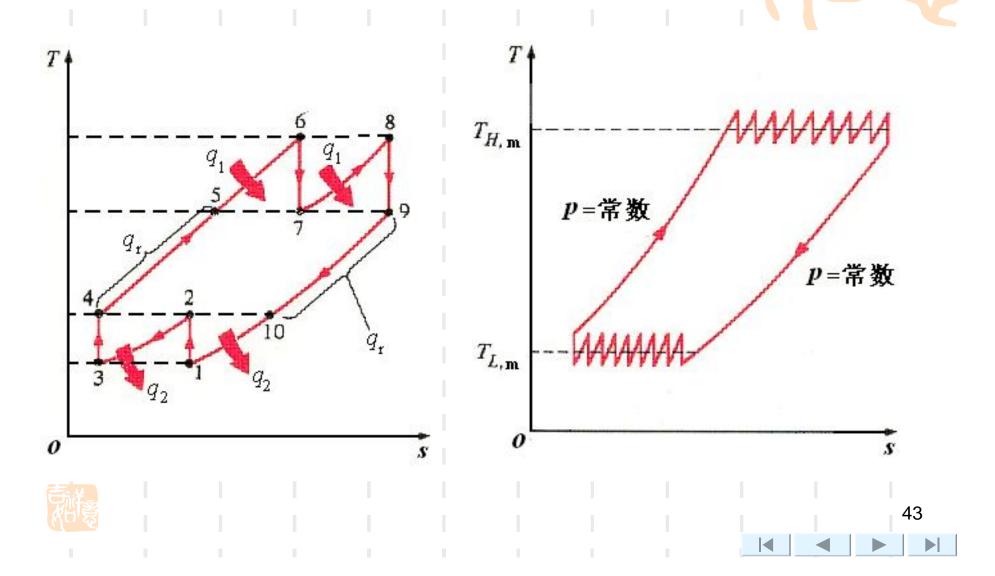




五、回热基础上 分级压缩,中间冷却;分级膨胀,中间加热



当分级压缩中间冷却;分级膨胀中间再热,级数趋向无穷多时,定压加热理想循环趋于概括性卡诺循环。



气体动力循环热效率分析归纳:

基础:

$$\eta_t = \frac{w_{\text{net}}}{q_1} = 1 - \frac{q_2}{q_1} = 1 - \frac{T_2}{T_1}$$

方法:

在T-s图上叠加、拆分等;

在T-S图上与同温限卡诺循环比较;

利用 $\eta_t = f(x, y, z \cdots)$ 的数学特性。



例A474299

例A470389



9-8 喷气发动机简介

定压燃烧喷气式发动机(jet engine)的理论循环及实际循环与

燃气轮机装置定压加热循环相同。

