# Birth Order, Educational Attainment, and Earnings

An Investigation Using the PSID

## Jasmin Kantarevic Stéphane Mechoulan

#### ABSTRACT

We examine the implications of being early in the birth order, and whether a pattern exists within large families of falling then rising attainment with respect to birth order. Unlike other studies using U.S. data, we go beyond grade for age and look at racial differences. Drawing from OLS and fixed effects estimations, we find that being first-born confers a significant educational advantage that persists when considering earnings; being last-born confers none. These effects are significant for large Black families at the high school level, and for White families of any size at both high school and college levels.

#### I. Introduction

Whether birth order affects performance has been an open empirical question for decades. In this study, we examine whether being early in the birth order implies a distinct educational and professional advantage, and whether within large families a pattern exists of falling then rising attainment with respect to birth order.

The empirical results presented here, drawn from the Panel Study of Income Dynamics (PSID), show that being first-born does confer an advantage, while being last-born confers none. In particular, we stress the importance of controlling for the age of the mother at childbirth. The age of the mother at childbirth is positively correlated with a child's education. At the same time, it is mechanically, positively

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correlated with a child's birth order. The omitted variable bias results in a clear offset of the birth-order effect and represents a simple yet unrecognized source of model misspecification.

A causal interpretation of the previous analysis would be premature. Total number of siblings, the age of the mother at childbirth, and other covariates such as parental education are likely correlated with unobservable socioeconomic characteristics. In particular, the precise causal determination of early motherhood on children's academic outcomes has received considerable attention (for example, Geronimus, Korenman, and Hillemeier 1994; Hofferth and Reid 2002; Lopez-Turley 2003), following an even larger debate on the consequences of early pregnancy on mothers themselves.<sup>1</sup> Yet, even if early motherhood does not *cause* lower educational attainment for a child, it is still possible that first-borns perform relatively better, conditional on early motherhood.

It would be very difficult to find compelling instrumental variables for all our potentially endogenous regressors. Therefore, to provide additional credibility to our results, we use a fixed effects (FE) model, which by construction removes variables that are constant *within* a family. As such, we take care of unobserved family-level heterogeneity. The results on birth order are broadly consistent with our initial ones.

The PSID enables us to check whether those patterns vary by ethnicity and whether the effect we find is in the higher educational realm, where financing matters. In particular, we investigate whether birth order influences secondary or postsecondary education. We find that birth-order effects are relatively stronger for White families. Furthermore, both ordinary least squares (OLS) and FE estimations show that the first-born lead is already revealed at the high school stage.<sup>2</sup> Yet, the exact mechanism through which firstborns appear to be advantaged is not fully identifiable from our data.

Lastly, the PSID gives us an opportunity to track outcomes over a longer period than just school years. Therefore, as a final check of the robustness of the results, we estimate the impact of birth order on hourly earnings. The same patterns emerge, so that when we omit the age of the mother at birth, we find no effect, whereas when we include it, we find a strong positive influence of birth order on hourly earnings. We do not find compelling evidence of differential birth-order effects on earnings between White and Black families.

Our work relates to an active literature in the economics of the family that is fundamental to our understanding of the intra-household allocation of resources.<sup>3</sup> Our results are consistent with those found by Black, Devereux, and Salvanes (2005) in Norway, Booth and Kee (2005) in the United Kingdom, and Conley and Glauber (2004) in the United States. Yet unlike Conley and Glauber (2004), we are able to go beyond grade for age.

<sup>1.</sup> Obviously, the age of the mother at childbirth is linked to a number of variables that should affect a child's educational attainment. Younger mothers are more likely to be single, have less human capital, etc. Also, adverse effects of unplanned motherhood may dissipate over time (Bronars and Grogger 1993).

<sup>2.</sup> Specifically, birth-order effects are significant for large Black families at the high school level only, and for White families of any size these effects are significant at both the high school and college level. We also look at the probability of repeating a grade conditional on high school completion, which does not seem significantly influenced by birth order.

<sup>3.</sup> Birdsall (1979), Behrman (1986), Behrman and Taubman (1986), Kessler (1991). We elaborate on some other studies in the paper.

Our contribution is perhaps most closely related to the work of Hanushek (1992), who used a sample of school children from low-income Black families in early 1970s Indiana. Hanushek's paper advances that while being early in the birth order implies a distinct advantage, it is entirely due to the higher probability of coming from a small family. Following Lindert (1977), the paper also highlights, within large families, a distinct and sizeable pattern of falling and then rising attainment with respect to birth order, to the point that it becomes best to be last-born. In contrast to Hanushek, our sample is more representative: We are thus able to examine longer-run outcomes and we also look at racial differences. Our empirical results first present a close version of Hanushek's findings before challenging their robustness, by introducing age of mother at birth in the model, and running fixed effects estimations.

The rest of the paper is organized as follows. Section II presents our data. Section III shows how birth order affects various educational outcomes through different estimation strategies. Section IV then extends the analysis to earnings. Finally, Section V concludes.

## II. Description of the Data

Our data come from the Childbirth and Adoption History File (CAHF), a special supplemental file of the PSID. The CAHF covers eligible people<sup>4</sup> living in a PSID family at the time of the interview in any wave from 1985 through 2001.

The population examined here (henceforth the "index persons") consists of all those for whom the CAHF sample contains records of the childbirth histories of at least one of their parents. The CAHF allows us to compile information on their birth order and the total number of children that their parent(s) report(s).

The index persons with missing information on their birth order or for whom the number of siblings is not ascertained are necessarily excluded from the sample. To ensure that all mothers have completed their fertility so that we correctly identify the total number of siblings, we further limit the sample to those index persons whose mother was older than 44 in the last year she reported.

Siblings are defined based on the childbirth histories of mothers.<sup>5</sup> In addition to the birth order and the number of siblings of the index persons, we have obtained additional demographic information on them and their parents from other PSID files using the unique individual identifiers that are present in the PSID main and supplemental files.

Notably, the PSID suffers from an important attrition bias. More educated people tend to stick with the questionnaire over longer periods of time; thus, it *appears* that

<sup>4.</sup> Eligible persons are defined as heads or wives of any age and other members of the family unit aged 12–44 at the time of the interview. These individuals are asked retrospective questions about their birth and adoption histories at the time of their first interview. In each succeeding wave these histories are updated.

<sup>5.</sup> The sample shrinks by 30 percent if siblings are defined based on the childbirth histories of fathers. In case both parents report, we were able to identify between siblings and half siblings; however, this distinction did not change any of our results. We include a variable expressing whether both parents report in our regressions.

Years of completed education Percent completed high school Log hourly earnings in 2001 Age (in 2001) Percent male		Mean	Deviation	Minimum	Maximum
Percent completed high school Log hourly earnings in 2001 Age (in 2001) Percent male	8,147	12.62	2.13	-	17
Log hourly earnings in 2001 Age (in 2001) Percent male	8,147	0.82	I	0	-
Age (in 2001) Percent male Devent White	3,028	2.67	0.71	-1.2	5.99
Percent male	8,318	38.57	8.76	25	89
Darcant W/hite	8,318	0.5		0	1
	8,318	0.47		0	1
Number of siblings	8,318	4.86	2.72	2	16
Percent first-born	8,318	0.27		0	1
Percent second-born	8,318	0.27		0	1
Percent third-born	8,318	0.17		0	1
Percent fourth-born	8,318	0.11		0	1
Percent fifth-born	8,318	0.07		0	1
Information on all siblings	8,318	0.56	Ι	0	1
Both parents report the childbirth	8,318	0.60	I	0	1
Family income					
Age 1–6	2,695	13,639	9,283	508	97,660
Age 7–14	4,576	19,993	17,360	1,173	255,393
Age 1–14	3,474	18,850	14,026	1,092	178,480
Mother continuously married					
Age 1–6	8,318	0.25	Ι	0	1
Age 7–14	8,318	0.36	I	0	1
Age 1–14	8,318	0.21	Ι	0	1
Mother					
Age at birth	8,292	26.18	5.88	15	48
Years of completed education	8,102	11.03	3.02	1	20
Father					
Age at birth	5,000	29.32	6.54	17	09
Years of completed education	4,892	11.13	3.67	-	17

Descriptive Statistics

Table 1

education is decreasing over cohorts, which is of course untrue according to the U.S. Census. Because a first-born is older than other siblings by definition, this alone could, in theory, produce a spurious positive impact of being first-born on education. We have checked that this problem is of no consequence for our results.<sup>6</sup>

The summary statistics of our sample are presented in Table 1. The detailed description of variables is relegated to Appendix 1. We found more than 8,000 index persons (from more than 3,100 distinct families) older than 24 in 2001, with at least one other sibling, and whose mother has completed her fertility. This is to be contrasted with Conley and Glauber (2004) who use larger sample from the U.S. Census, but focus only on children under the age of 20 living at home.

The main dependent variable—years of completed education—has an average of 12.62 years.<sup>7</sup> About 82 percent of those selected index persons have at least 12 years of education, that is to say, have completed high school.<sup>8</sup> Our measure of earnings—log hourly wage in 2001—shows an average corresponding to \$14.5/hour. However, the information on hourly wages or salary income is not available for most index persons.

The average age in our sample is 39. About half of respondents are male and 47 percent are White. The average number of siblings is 4.86. This high number is consistent with the PSID oversampling minorities and low-income populations. Fifty-six percent of the index persons have all their siblings reporting, and 60 percent have both their parents reporting their childbirth history.

We improved our analysis by including important observed family level-effects that vary across parity: family income, and whether the mother is married. Whenever available, we constructed the corresponding information for each of the first 14 years of life of each index person.<sup>9</sup> The main limitation is that information on family income cannot be recovered for many index individuals.

Lastly, we include two variables describing characteristics of index individuals' parents, namely education (11 years for both mother and father on average) and the age of the parents at birth of index persons (26 for mothers and 29 for fathers on average).

## **III. Methods and Results**

#### A. The First-Born Effect

We first use an OLS estimation with robust standard errors clustered by family unit (identified by the mother), which relaxes the independence assumption between the

<sup>6.</sup> The regressions presented in this article contain age controls that separate cohort from birth order effects.

<sup>7.</sup> A more appropriate variable would be education at age 25. However, the number of observations available would drop considerably and we would not be able to run estimations *by* sibling size. All of our other results when running estimations that *control for* siblings size hold when replacing education with education at age 25 for those where such information can be traced.

<sup>8.</sup> A negligible fraction of those who declare a certain education level at some point in their life declare less education later. Removing such observations did not alter our results. We therefore choose the latest education level reported as our variable of interest.

<sup>9.</sup> We then ran our regressions using the average of these variables for three age groups: 1-6, 7-14, and 1-14. For each age group, the averages are respectively calculated only if the information is present in at least half of the years of the age group.

error terms and requires only that the observations be independent across clusters.<sup>10</sup> In Table 2, we first test the hypothesis that being early in the birth order implies a distinct advantage that is entirely due to the higher probability of coming from a small family.

Columns 1 and 2 of Table 2 reject that claim but help us understand why it may have been made. In Column 1, we omit the number of siblings; therefore, the significant coefficient on first-born reflects not only the birth order effect but also the probability of coming from a small family. In Column 2, the inclusion of the number of siblings leaves the coefficient on first-born insignificant.

In Column 3, we include age of the mother at childbirth and find a positive and highly significant effect of being first-born on years of education. This effect is confirmed when including the father's characteristics in Column 4, where both a father and a mother report. Often, not all siblings report; this is especially the case for large families. To check if we are biasing our results by including such families, in Column 5 we restrict our attention to families with complete information on all siblings. The findings are similar there too, further showing that they could not be driven by selective attrition within families by birth order. In all specifications, we find a stronger effect among White families.

The results presented here are for the impact of being first-born in families of more than one child. This particular procedure takes advantage of the full size of our sample and can be useful when there are not enough observations to run separate estimations for different siblings' sizes.<sup>11</sup> We see that it allows us to reveal a significant and robust birth order effect.

However, we still obtain similar results when looking at individual birth order effects by siblings' size in Table 3, where all specifications include age of the mother at childbirth. Although large families show higher birth order point estimates, the effect is present in two-sibling families as well. Note that the coefficient on first-born is only weakly significant in Column 4—families of five siblings—likely because of the small sample size.

The reason why the inclusion of the age of the mother at childbirth makes the coefficient on first-born larger in magnitude and more significant is clear: The age of the mother at childbirth is mechanically, positively correlated with birth order, and even more strongly across large families. Conversely, we see that it is positively correlated with a child's education. Then, if having a high birth order carries a negative impact on education, the two effects of birth order and age of the mother at childbirth compete against one another. Therefore the coefficient on first-born in Table 2, Column 2 reflects an omitted variable bias. The results hold for both males and females, for mothers with or without more than a high school education. We also found that spacing between births, be it that of the first-born child with respect to the second-born or to the last-born child, does not alter the conclusions either. Additional OLS regressions confirmed that the effect is significantly present among White families of any

<sup>10.</sup> We also used random effects procedures, but because they yield almost identical results as those with the family clustered standard errors, those are not reported.

<sup>11.</sup> For example, we found a significant birth-order effect when considering separately mothers who first gave birth early and mothers who first gave birth "late" (using various definitions of "early" and "late"), yet we do not have enough observations to split the sample by maternal age and individual siblings size.

	Education
	Variable:
	Dependent
	n with
e 2	Regressio
Tabl	OLS

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.162	0.012	0.288	0.239	0.268
Total number of siblings	$(0.068)^{**}$	(0.069)	$(0.072)^{***}$	$(0.098)^{**}$	$(0.084)^{***}$
		$(0.015)^{***}$	$(0.015)^{***}$	$(0.019)^{***}$	(0.029)***
Age of mother at childbirth		~	0.058	0.061	0.065
			$(0.005)^{***}$	$(0.011)^{***}$	$(0.008)^{***}$
d[Male]	-0.205 (0.047)***	-0.21 (0.046)***	-0.226 (0.046)***	-0.186 0.058)***	-0.159 (0.057)***
Age	0.121	0.159	0.162	0.143	0.087
	$(0.027)^{***}$	$(0.027)^{***}$	$(0.027)^{***}$	$(0.039)^{***}$	$(0.040)^{***}$
$Age^{2}$	-0.001	-0.001	-0.001	-0.001	-0.003
	$(0.0003)^{***}$	$(0.0003)^{***}$	$(0.0003)^{***}$	$(0.001)^{**}$	(0.0001)
d[White]	0.119	-0.003	-0.099	-0.295	-0.107
	$(0.072)^{*}$	(0.073)	(0.071)	$(0.087)^{***}$	(0.098)
d[first-born] × d[White]	0.126	0.193	0.184	0.286	0.172
	(0.092)	$(0.092)^{**}$	$(0.092)^{**}$	$(0.115)^{**}$	(0.104)*
Mother's education	0.213	0.198	0.199	0.114	0.236
	$(0.012)^{***}$	$(0.012)^{***}$	$(0.012)^{***}$	$(0.017)^{***}$	$(0.018)^{***}$
d[all siblings report]	0.261	0.096	0.181	0.144	
	$(0.068)^{***}$	(0.069)	$(0.069)^{***}$	(0.089)	
d[both parents report]	0.523	0.553	0.520		0.533
	$(0.063)^{***}$	$(0.062)^{***}$	$(0.061)^{***}$		$(0.081)^{***}$
Father's education				0.125	
				$(0.012)^{***}$	
Age of father at childbirth				0.006	
				(0000)	
Constant	6.713	6.717	5.073	5.162	5.848
	(0.528)	$(0.531)^{***}$	$(0.541)^{***}$	$(0.775)^{***}$	$(0.776)^{***}$
$R^2$	0.1578	0.1691	0.1889	0.2009	0.1982
Number of observations	7,928	7,928	7,928	7,766	4,541
Number of family clusters	3,112	3,112	3,112	1,869	1,732

(1)	(2)	(3)	(4)	(5)
0.275	0.698	0.715	0.534	0.915
$(0.104)^{***}$	$(0.136)^{***}$	$(0.185)^{***}$	$(0.316)^{*}$	$(0.236)^{***}$
0.434	0.463	0.334	0.578	
$(0.117)^{***}$	$(0.16)^{***}$	(0.282)	$(0.195)^{***}$	
		0.171	0.212	0.368
		(0.14)	(0.247)	$(0.175)^{**}$
			-0.012	0.466
			(0.214)	$(0.152)^{***}$
				0.221
				$(0.133)^{*}$
0.048	0.079	0.067	0.068	0.07
$(0.012)^{***}$	$(0.013)^{***}$	$(0.013)^{***}$	$(0.023)^{***}$	$(0.013)^{***}$
-0.287	-0.115	-0.035	-0.34	-0.033
$(0.102)^{***}$	(0.091)	(0.107)	$(0.131)^{***}$	$(0.087)^{***}$
0.217	0.19	0.156	0.075	0.167
$(0.056)^{***}$	$(0.057)^{***}$	$(0.049)^{***}$	(0.044)*	$(0.057)^{***}$
	0.275 0.104)*** 0.434 (0.117)*** (0.117)*** 0.048 0.048 (0.012)*** 0.217 (0.026)***	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

 Table 3
 OLS Regression with Dependent Variable: Education

Age <sup>2</sup>	0.002 (7 × 10 <sup>-4</sup> )***	0.002 $(7 \times 10^{-4})^{**}$	0.002 (6 × 10 <sup>-4</sup> )**	$3 \times 10^{-4}$ $(5 \times 10^{-4})$	0.002 $(8 \times 10^{-4})^{**}$
[[White]	0.119 (0.12)	-0.124 (0.13)	$4 \times 10^{-5}$ (0.13)	-0.03 (0.181)	-0.114 (0.137)
Mother's education	$(0.025)^{***}$	0.25 (0.026)***	0.179 (0.023)***	$(0.035)^{***}$	0.182 (0.022)***
l[all siblings report]	0.147 (0.154)	0.212 (0.136)	-0.066 (0.128)	0.351 $(0.178)^{**}$	0.21 (0.149)
[[both parents report]	0.241 $(0.118)^{**}$	0.612 $(0.118)^{**}$	0.755 (0.126)***	0.542 $(0.189)^{***}$	0.371 (0.127)***
Constant	3.339(1.148)***	2.694 (1.184)**	$(1.011)^{**}$	(6.607)	$(1.415)^{***}$
۲۵ کار	0.185	0.21	0.19	0.114	0.127
Number of observations Number of family clusters	1,398 913	1,705 811	1,444 542	959 308	2,422 538

(1)-(5): all mothers have completed their fertility (age > 44), all respondents assumed to have completed their education (age > 24).

(1)-(5): Families of 2, 3, 4, 5, and 6 and above siblings respectively.
 \*: 10 percent significance; \*\*: 5 percent significance; \*\*\*: 1 percent significance. Robust standard errors clustered by family.

size greater than one, whereas it is only present within large families among Blacks. Therefore, the ethnic differential disappears when considering large families only.

As noted earlier, a causal interpretation of the age of the mother at childbirth would hinge on the assumption of its exogeneity. Without instrumental variables or a treatment *versus* control quasi experiment, it is difficult to draw conclusions.<sup>12</sup> The age of the mother at childbirth, itself positively correlated with birth order, could easily proxy for other unobserved variables such as level of human capital and parental resources.<sup>13</sup>

To address this problem, our fixed-effect estimation (Table 4a and b) removes family characteristics and unobserved family-level heterogeneity.<sup>14</sup> Family fixed effects address family unobservables to the extent that they are constant over time. While we try to incorporate observables that vary across birth order to affirm the robustness of our results, we are constrained by the availability of such variables in the data set.

Unfortunately, the coefficients on age or on age of the mother at childbirth are uninformative in those fixed effects regressions. Deviations from family means for age convey the same information as deviations from family means for age of mother at childbirth. We thus do not provide separate estimations with age and age of mother at childbirth. The age of the mother at first childbirth is certainly relevant, but here, it is differenced out. Still, to assess this issue better, we ran separate regressions, splitting the sample by maternal age.<sup>15</sup> To summarize, the following results are robust to excluding mothers who first gave birth as teens, but we do not have enough observations to meaningfully run the fixed effects regressions by sibling size on that latter group.

In Tables 4a and 4b, the fixed effects estimations that only control for age and gender confirm the previous results for the most part.<sup>16</sup> We also provide estimations including the marital status of the mother<sup>17</sup> during the child's first 14 years:<sup>18</sup> The results do not change by much.<sup>19</sup> Clearly, the suggestion that first-borns are most likely to live

<sup>12.</sup> Also, while it is possible in the context of larger samples to instrument for siblings size—using twin births (Black, Devereux, and Salvanes 2005) or using the fact that parents of two same sex children are more likely to have a third child (Conley and Glauber 2004)—one cannot instrument for birth order per se.

<sup>13.</sup> This is further evidenced by the fact that including a dummy variable indicating whether the mother was married at the time of childbirth instead of (and, obviously, also along with) age of mother at childbirth also results in highly significant birth order coefficients. Results are available upon request.

<sup>14.</sup> However, it is worth noting that those fixed effects do not solve all endogeneity issues. For example, it may be the case that first-born "quality" is affecting subsequent fertility. We thank an anonymous referee for pointing out this caveat.

<sup>15.</sup> We thank an anonymous referee for this suggestion.

<sup>16.</sup> In Column 1—families of two siblings—the coefficient on first-born becomes significant at the 10 percent level when including index persons of 23 and 24 years of age, suggesting the nonsignificance when restricting at age 25 stems from a small sample size. Separate FE regressions for White and Black families confirmed the ethnic differentials found earlier.

<sup>17.</sup> We tried two definitions: number of years married/number of years considered in the age group, and = 1 if continuously married over the years considered in the age group, 0 otherwise. Since the results on birth order do not change qualitatively with either of those, we only report the results with the latter definition.

<sup>18.</sup> We also ran similar estimations with different age ranges and obtained similar results.

<sup>19.</sup> Because the information on marital status is retrospective, we do not lose any observation by including this covariate. Unfortunately, this is not the case when adding average family income or average employment status of the mother during the child's first years.

## Table 4a

Fixed Effects	Linear Regress	ion with Deper	ident Variable.	: Education	(All
Coefficients: 1	Deviation from	Family Means	) Not Including	g Marital St	atus of Mother

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.216	0.437	0.683	0.594	0.477
	(0.181)	(0.206)**	(0.265)***	(0.379)	(0.224)**
d[second-		0.282	0.412	0.421	0.199
born]		(0.141)**	(0.214)*	(0.323)	(0.195)
d[third-			0.138	0.361	0.055
born]			(0.159)	(0.261)	(0.172)
d[fourth-				-0.031	0.181
born]				(0.207)	(0.149)
d[fifth-					-0.012
born]					(0.125)
Observations	1,422	1,743	1,477	922	2,487
groups	934	835	562	388	573

## Table 4b

Fixed Effects Linear Regression with Dependent Variable: Education (All Coefficients: Deviation from Family Means) Including Marital Status of Mother

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.224	0.436	0.696	0.585	0.492
	(0.181)	(0.206)**	(0.267)***	(0.379)	(0.226)**
d[second-born]		0.28	0.423	0.413	0.212
		(0.141)**	(0.216)**	(0.323)	(0.197)
d[third-born]			0.146	0.363	0.063
			(0.159)	(0.261)	(0.173)
d[fourth-born]				-0.025	0.188
				(0.207)	(0.149)
d[fifth-born]					-0.016
					(0.125)
Mother	-0.196	-0.167	0.112	0.381	-0.105
Continuously married, aged 1–14	(0.315)	(0.221)	(0.221)	(0.274)	(0.178)
Number of observations	1,422	1,743	1,477	999	2,487
Number of groups	934	835	562	328	573

(1)–(5): all mothers have completed their fertility (age > 44), all respondents assumed to have completed their education (age > 24). (1)–(5): Families of 2, 3, 4, 5, and 6 and above siblings respectively. \*: 10 percent significance; \*\*: 5 percent significance; \*\*: 1 percent significance. Robust standard errors clustered by family. No estimation was run with age because including both age and age of mother at birth is redundant in a family fixed effects regression. The regressions also include age of mother at birth and an indicator for males.

their critical development years in a stable household, as opposed to later-borns who may experience the divorce of their parents, cannot entirely explain the first-born advantage. At the same time, the persistence of birth-order effects naturally poses the problem of their origin.

The literature is not able to distinguish between different theories on the topic of birth order. For example, schooling circumstances play a large role in educational outcomes and may be related to birth order.<sup>20</sup> Our analysis is limited in the sense that it cannot discriminate between many competing hypotheses on why birth order appears to be important.<sup>21</sup>

Nevertheless, we checked whether what appears as a first-born advantage predominantly comes from financial constraints, for example, parents sending their first-born to college and running out of money for the following siblings. Conley offers the following argument: "[I]n terms of parental investment, the cup starts to run dry as we go down the line. . . . Parental resources, it appears, are allotted on a first come, firstserved basis."<sup>22</sup> Yet, if it turns out that first-borns perform better beforehand, then a theory based on budget constraints cannot fully account for our results. In Tables 5–7, we estimate the probability of completing high school, following the same methodology as in Tables 2–4. We find that first-borns have a higher probability of completing high school than later born siblings.

Specifically, Table 5 shows again that the first-born effect is not an artifact of family size; that it increases in magnitude and significance when including age of mother at birth; that it is robust to including characteristics of father and to restricting the sample to families in which all siblings report. Table 6 shows that these results also hold when regressions are estimated separately by family size (except for families of five, presumably because of the small sample size). Tables 7a and 7b are the counterparts of Tables 4a and 4b. Fixed effects regressions controlling for age and gender support the results found in Tables 5 and  $6.2^{23}$ 

Also, we estimated education at age 18 conditional on high school completion (at 18 or older) to see if later-borns are more likely to repeat grades, which would support a theory of birth-order effects based on cognitive development differences. We did not find any evidence for this. However, the small sample size resulting from selecting index persons with available information at age 18 warrants some caution.

Finally, we found evidence, among White families only, that conditional on completing high school, first-borns are more likely to receive postsecondary education. Yet for all races, conditional on postsecondary education, we found no clear advantage to being first-born.<sup>24</sup> In summary, financial constraints do seem to play a role, but some factors early in life contribute to the first-born premium puzzle.

24. Results are available from the authors.

<sup>20.</sup> We thank an anonymous referee for this point.

<sup>21.</sup> We refer the reader to the survey of those theories presented in Black, Devereux, and Salvanes (2005).

<sup>22.</sup> Conley (2004), p. 69.

<sup>23.</sup> The results held when including mother's marital status. We ran into the same small size problems when adding family income and mother's employment status for different age ranges of each child. The ethnic differential disappears when considering all families (but persists when focusing on smaller families), suggesting that some of the birth order effect among White families comes from postsecondary education.

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.044	0.024	0.055	0.039	0.044
	$(0.014)^{***}$	$(0.014)^{*}$	$(0.014)^{***}$	$(0.018)^{**}$	$(0.017)^{***}$
Total number of		0.014	0.016	0.011	0.012
siblings		$(0.003)^{***}$	$(0.003)^{***}$	$(0.004)^{***}$	$(0.005)^{***}$
Age of the mother			0.006	0.007	0.005
at childbirth			$(0.0001)^{***}$	$(0.002)^{***}$	$(0.001)^{***}$
d[Male]	0.047	0.048	0.049	0.047	0.037
	$(0.00)^{***}$	$(0.009)^{***}$	$(0.00)^{***}$	$(0.00)^{***}$	$(0.010)^{***}$
Age	0.024	0.029	0.029	0.032	0.023
1	$(0.004)^{***}$	$(0.004)^{***}$	$(0.004)^{***}$	$(0.007)^{***}$	$(0.007)^{***}$
$Age^{2}$	0.0002	0.0003	0.0002	0.0003	0.0002
	$(5  imes 10^{-5})^{***}$	$(5  imes 10^{-5})^{***}$	$(5  imes 10^{-5})^{***}$	$(8 \times 10^{-5})^{***}$	$(8 \times 10^{-5})^{***}$
d[White]	0.005	0.012	0.023	0.042	0.019
	(0.014)	(0.014)	(0.014)*	$(0.017)^{**}$	(0.019)
d[first-born] × d	0.015	-0.005	-0.006	0.011	0.006
[White]	(0.0175)	(0.017)	(0.017)	(0.021)	(0.021)
Mother's education	0.027	0.026	0.026	0.015	0.026
	$(0.002)^{***}$	$(0.002)^{***}$	$(0.002)^{***}$	$(0.003)^{***}$	$(0.003)^{***}$
d[complete info	0.035	0.094	0.022	0.029	
on all siblings]	$(0.013)^{***}$	$(0.012)^{***}$	(0.013)	$(0.015)^{*}$	
d[both parents report]	0.09	0.094	060.0		0.097
	$(0.012)^{***}$	$(0.012)^{***}$	$(0.012)^{***}$		$(0.016)^{***}$

 Table 5
 OLS Regression with Dependent Variable: High School Completion

	(1)	(2)	(3)	(4)	(5)
Father's education				0.011	
Age of father at childbirth				-0.002) -0.001 (0.002)	
Constant	0.105	0.104	0.288	0.241	0.129
	(0.089)	(0.080)	$(0.094)^{***}$	$(0.135)^{*}$	(0.141)
$R^2$	0.0879	0.0943	0.1018	0.0885	0.0855
Number of observations	7,928	7,928	7,928	4,766	4,541
Number of family	3,112	3,112	3,112	1,869	1,732
clusters					
(1)–(5): all mothers have complete	ed their fertility (age > 4	4), all respondents assumed	to have completed their educa	tion (age > 24) and have a	tt least one other sibling.
(+). uloun parente repord - 1 and	1 (J). alcomprene mus on	all allungs] - 1			

 Table 5 (continued)

\*: 10 percent significance; \*\*.5 percent significance; \*\*\*: 1 percent significance. Robust standard errors clustered by family.

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.038	0.084	0.0	0.031	0.122
	$(0.018)^{**}$	$(0.025)^{***}$	$(0.036)^{**}$	(0.053)	$(0.049)^{**}$
d[second-born]		0.071	0.08	$2 \times 10^{-4}$	0.022
		$(0.022)^{***}$	$(0.031)^{***}$	(0.051)	(0.044)
d[third-born]			0.031	0.012	0.035
			(0.028)	(0.041)	(0.037)
d[fourth-born]				0.061	0.041
				(0.037)	(0.033)
d[fifth-born]					0.007
					(0.028)
Age of the mother at childbirth	0.003	0.004	0.009	0.008	0.011
1	(0.002)*	(0.002)*	$(0.003)^{***}$	$(0.004)^{**}$	$(0.003)^{***}$
d[Male]	-0.03	-0.041	0.007	-0.094	-0.082
	$(0.016)^{*}$	$(0.016)^{**}$	(0.02)	$(0.026)^{***}$	$(0.018)^{***}$
Age	0.028	0.028	0.051	0.012	0.037
1	$(0.007)^{***}$	$(0.00)^{***}$	$(0.01)^{***}$	(0.008)	$(0.011)^{***}$
$Age^{2}$	$3 \times 10^{-4}$	$3 \times 10^{-4}$	$5 \times 10^{-4}$	$8 \times 10^{-5}$	$4 \times 10^{-4}$
	$(9 \times 10^{-5})^{***}$	$(10^{-5})^{***}$	$(10^{-5})^{***}$	$(9 \times 10^{-5})$	$(10^{-4})^{***}$
d[White]	0.012	0.124	0.049	0.033	0.022
	(0.021)	(0.023)	$(0.026)^{*}$	(0.034)	(0.028)
Mother's education	0.024	0.025	0.027	0.018	0.027
	$(0.004)^{***}$	$(0.004)^{***}$	$(0.005)^{***}$	$(0.005)^{***}$	$(0.004)^{***}$

 Table 6
 OLS Regression with Dependent Variable: High School Completion

[all siblings report]     -0.011     0.03       (0.025)     (0.024)     (0.024)       [both parents report]     0.045     0.076       (0.019)**     (0.022)***	$\begin{array}{c} 0.03 \\ (0.024) \\ 0.076 \\ (0.022)^{***} \end{array}$	-0.034		
[both parents report] 0.045 0.076 (0.019)** (0.022)***	(0.02+) 0.076 (0.022)***		0.059	0.037
(710)	(770.0)	(0.024) 0.125 (0.027)***	0.088	(co.o) 0.098 ***(ACO.O)
Constant 0.115 0.254	0.254	0.927 0.927 0.03)***	0.026	0.644
$R^2$ 0.076 0.084	0.084	0.138	0.078	0.088
Number of observations1,3981,705Number of family clusters913811	1,705 811	1,444 542	959 308	2,422 538

(1)-(5): Families of 2, 3, 4, 5, and 6 and above siblings respectively. \*: 10 percent significance; \*\*: 5 percent significance; \*\*\*: 1 percent significance. Robust standard errors clustered by family.

 Table 6 (continued)

#### Table 7a

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.033 (0.029)	0.089 (0.037)**	0.132 (0.051)***	0.076 (0.073)	0.124
(0.051)**	· · · ·			· · ·	
d[second-born]		0.064	0.107	0.039	0.029
		(0.026)***	$(0.041)^{***}$	(0.062)	(0.045)
d[third-born]			0.048	0.061	0.047
			(0.03)	(0.05)	(0.039)
d[fourth-born]				-0.054	0.049
				(0.04)	(0.034)
d[fifth-born]					0.004
					(0.029)
Observations	1,422	1,743	1,477	999	2,487
groups	934	835	562	328	573

Fixed Effects Linear Regression with Dependent Variable: High School Completion (All Coefficients: Deviation from Family Means) Not Including Marital Status of Mother

#### Table 7b

Fixed Effects Linear Regression with Dependent Variable: High School Completion (All Coefficients: Deviation from Family Means) Including Marital Status of Mother

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.033	0.089	0.134	0.075	0.129
	(0.029)	(0.037)**	(0.051)***	(0.073)	(0.052)***
d[second-born]		0.063	0.109	0.039	0.033
		(0.026)***	(0.041)***	(0.062)	(0.045)
d[third-born]			0.049	0.061	0.049
			(0.03)	(0.051)	(0.039)
d[fourth-born]				-0.053	0.051
				(0.04)	(0.034)
d[fifth-born]					0.004
					(0.028)
{Mother	-0.001	-0.058	0.019	0.025	-0.035
continuously married, age 1–14}	(0.051)	(0.04)	(0.042)	(0.053)	(0.041)
Observations	1,422	1,743	1,477	999	2,487
Groups	934	835	562	328	573

(1)–(5): all mothers have completed their fertility (age > 44), all respondents assumed to have completed their education (age > 24). (1)–(5): Families of 2, 3, 4, 5, and 6 and above siblings respectively. \*: 10 percent significance; \*\*: 5 percent significance; \*\*: 1 percent significance. Robust standard errors clustered by family. No estimation was run with age because including both age and age of mother at birth is redundant in a family fixed effects regression. The regressions also include age of mother at birth and an indicator for males.

#### B. The "Last-Born Effect" in Large Families

We now test the hypothesis that within large (more than five siblings) families, the lastborns do better than the middle-borns, who in turn do worst. There is some support in the literature for a so-called "crunch in the middle" effect:<sup>25</sup> This nonlinear pattern was also advanced by Hanushek (1992) and in the context of time allocation, by Lindert (1977).

There are many ways to replicate these findings. Short of enough observations for each family size when family size is very large, the variables of interest chosen in Table 8 are dummies indicating whether a child is first-born and whether a child is last-born.

When omitting the age of mother at childbirth in Column 1, the first-born coefficient is insignificant as earlier, but the coefficient on last born is positive and significant. Notice that this does not happen when we run the same regression on smaller families. However, in Column 2, once the age of the mother at childbirth is factored in, we find that being last-born confers no advantage but that being first-born does.

The fixed effects estimation (Column 3) confirms the absence of any upward trend from middle-born to last-born.<sup>26</sup> The interpretation of those results is similar to the ones presented earlier and the same qualifications apply.<sup>27</sup>

## **IV. Birth Order and Earnings**

Because education is a key in determining earnings, we should likewise find a similar birth order effect on earnings. Our sample is more limited because we only have information on earnings for heads or wives who declare working (about 36 percent of our initial sample). Nonetheless, Table 9 shows that the results on hourly earnings display the same patterns as for education, namely a nonsignificant effect of birth order when age of the mother at birth is omitted, and a significant effect when it is included. Curiously, for non-White, non-Black families, we noticed the persistence of a robust first-born effect on earnings after controlling for education. This deserves future research. Note that with only a few hundred observations on hourly earnings for each sibling size, we cannot run meaningful OLS or fixed effects estimations by siblings size.<sup>28</sup>

#### V. Conclusion

We have shown how the omission of the age of the mother at childbirth effect results in an underestimation of the impact of being first-born and an over-

<sup>25. &</sup>quot;For almost as long as sociologists have been studying who gets ahead, they have found that kids from large families do more poorly than those from small ones. There is, however, one exception to this: Last-born children from very large families seem to fare quite well ... the middle kids do worst." Conley (2004): p. 66 and p. 69. 26. Adding whether the mother was continuously married during the children's first years does not change the results qualitatively, and similar small size problems arose when adding family income and employment status of the mother for different age ranges of each child. Results are available from the authors.

Restricting the sample to both parents present at childbirth yields similar results. However, we cannot do the same with large families with complete information on all siblings: The sample becomes too small.
 Fixed effects estimations for the entire sample confirm the OLS results though.

#### Table 8

Regression with Dependent Variable: Completed Education (Large Families)

	OI	LS	Family Fixed Effects
	(1)	(2)	(3)
d[first-born]	0.078	0.427	0.084
	(0.187)	(0.195)**	(0.039)**
d[lastborn]	0.343	-0.047	0.008
	(0.126)***	(0.138)	(0.032)
d[White]	-0.059	-0.164	· · · ·
	(0.159)	(0.149)	
$d[first-born] \times d[White]$	0.099	0.098	-0.001
	(0.322)	(0.321)	(0.059)
$d[last-born] \times d[White]$	-0.052	-0.039	-0.057
	(0.198)	(0.195)	(0.047)
Total number of siblings	-0.059	-0.09	· · · ·
6	(0.031)*	(0.033)***	
Age of the mother at	~ /	0.055	0.002
childbirth		(0.011)***	(0.002)
d[Male]	-0.322	-0.331	-0.085
	(0.089)***	(0.087)***	(0.017)***
Age	0.168	0.172	· · · ·
6	(0.066)***	(0.068)***	
Age <sup>2</sup>	-0.002	-0.002	
5	(0.0008)**	(0.0001)**	
Mother's education	0.175	0.180	
	(0.022)***	(0.021)***	
d[all siblings report]	0.112	0.176	
6 I I	(0.151)	(0.151)	
d[both parents report]	0.449	0.429	
-[	(0.129)***	(0.126)***	
Constant	6.755	5.207	0.707
	(1.317)***	(1.329)***	(0.066)***
$R^2$	0.1114	0.1292	0.01
Number of observations	2,422	2,422	2,487
Number of family clusters	538	538	573

(1)–(3): all mothers have completed their fertility (age > 44), all respondents assumed to have completed their education (age > 24), all respondent from families > 5 siblings. Robust standard errors clustered by family.

\*: 10 percent significance; \*\*: 5 percent significance; \*\*\*: 1 percent significance.

	(1)	(2)	(3)	(4)	(5)
d[first-born]	0.102	0.067	0.106	0.126	0.143
	$(0.043)^{**}$	(0.044)	$(0.045)^{**}$	$(0.057)^{**}$	$(0.051)^{***}$
Total number of siblings		-0.021	-0.024	-0.024	-0.04
1		$(0.007)^{***}$	$(0.007)^{***}$	$(0.009)^{***}$	$(0.014)^{***}$
Age of the mother at childbirth			0.008	0.008	0.009
1			$(0.002)^{***}$	$(0.005)^{*}$	$(0.003)^{***}$
d[Male]	0.300	0.299	0.298	0.346	0.29
	$(0.0245)^{***}$	$(0.024)^{***}$	$(0.024)^{***}$	$(0.029)^{***}$	$(0.03)^{***}$
Age	0.059	0.067	0.065	0.068	0.078
1	$(0.013)^{***}$	$(0.013)^{***}$	$(0.013)^{***}$	$(0.017)^{***}$	$(0.021)^{***}$
Age2	-0.0005	-0.0006	-0.001	-0.0005	-0.001
1	$(0.0002)^{***}$	$(0.0002)^{***}$	$(0.0002)^{***}$	$(0.0002)^{**}$	$(0.0002)^{***}$
d[White]	0.144	0.109	0.096	0.019	0.117
	$(0.035)^{***}$	$(0.036)^{***}$	$(0.036)^{***}$	(0.043)	$(0.046)^{***}$
d[first-born] × d[White]	-0.086	-0.062	-0.065	-0.094	-0.128
	(0.054)	(0.054)	(0.054)	(0.064)	$(0.061)^{**}$

 Table 9
 OLS Regression with Dependent Variable: Log Hourly Wage in 2001
 Control of the second secon

Mother's education	0.048	0.044	0.043	0.021	0.045
	$(0.006)^{***}$	$(0.006)^{***}$	$(0.006)^{***}$	$(0.008)^{**}$	$(0.009)^{***}$
d[complete info on all siblings]	0.102	0.063	0.071	0.095	
4	$(0.032)^{***}$	$(0.035)^{*}$	$(0.036)^{***}$	$(0.044)^{**}$	
d[both parents report]	0.092	0.098	0.097		0.169
	$(0.029)^{***}$	$(0.029)^{***}$	$(0.029)^{***}$		$(0.037)^{***}$
Father's education				0.045	
				(0.006)	
Age of father at childbirth				0.002	
1				(0.004)	
Constant	0.235	0.254	0.105	-0.262	-0.162
	(0.263)	(0.261)	(0.264)	(0.342)	(0.400)
$R^2$	0.1594	0.1629	0.1658	0.2206	0.1759
Number of observations	3,000	3,000	3,000	2,059	1,962
Number of family clusters	1,575	1,575	1,575	1,075	1,015

(1)-(5): all mothers have completed their fertility (age > 44), all respondents assumed to have completed their education (age > 24) and have at least one other sibling. (4): d[both parents report] = 1 and (5): d[complete info on all siblings] = 1

\*: 10 percent significance; \*\*: 5 percent significance; \*\*\*: 1 percent significance. Robust standard errors clustered by family.

Appendix	: 1
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Description of the Variables

Variable	Description
Years of completed education <sup>a</sup>	Years of education reported in the most recent year
Completed high school <sup>a</sup>	= 1 if years of completed education greater than or equal to 12
Hourly earnings <sup>e</sup>	= hourly earnings in 2001 if the index person is a head or a wife of a household, and missing otherwise
Age <sup>a</sup>	= the age of index person, based on the year of birth
Male <sup>a</sup>	= 1 if the gender of index person is male
White <sup>b</sup>	= 1 if the race of mother of index person is White, or if the race of mother of index person is missing but the race of father is White
Number of siblings <sup>c</sup>	The total number of childbirths reported by the mother of index person if mother older than 44 in the last year in which she reported; otherwise, set to missing
Birth order <sup>c</sup> (first-born, etc.)	The birth order of index person
Family income <sup>b</sup>	= Total income of the household. The average family income is calculated only if it is available for at least 50 percent of years in the relevant time period (3+ years for ages 1–6, 4+ years for ages 7–14, and 7+ years for ages 1–14)
Mother married <sup>d</sup>	= 1 the mother is continuously married during the relevant period, and 0 if not. The average marital status of mother is calculated only if it is available for at least 50 percent of years in the relevant time period (3+ years for ages 1–6, 4+ years for ages 7–14, and 7+ years for ages 1–14)
Information on all siblings	= 1 if all siblings present in the sample and report
Both parents report the childbirth	= 1 if both the mother and father of index person report the birth of index person

Data Sources:

a Individual PSID file

b Family PSID file

c Childbirth and Adoption History File

d Marriage History File

e Hours of Work and Wages File

estimation of the impact of being last-born. At this point, however, the age of the mother at childbirth should be interpreted broadly as a proxy for a set of maternal inputs. Most importantly, fixed-effects estimations confirmed the presence of a significant positive first-born effect and the absence of either specific middle-born or last-born effects among large families. First-born children on average retain an advantage acquired early on, throughout both their educational and professional life. This effect is enhanced within White families.

Our data do not permit to contribute to the recent debate over the impact of family size on educational attainment. Therefore, while we tentatively agree with Hanushek (1992) that smaller family sizes may be responsible for a rise in scholastic performances over cohorts in the United States, we would like to emphasize that this effect is compounded by a corresponding increase in the proportion of first-born children.

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