

The size of a pond in 2D invasion percolation

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Abstract

We consider invasion percolation on the square lattice. van den Berg, Peres, Sidoravicius and Vares have proved that the probability that the radius of a so-called pond is larger than n , differs at most a factor of order $\log n$ from the probability that in critical Bernoulli percolation the radius of an open cluster is larger than n . We show that these two probabilities are, in fact, of the same order. Moreover, we prove an analogous result for the volume of a pond.

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Published on: October 26, 2007

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Electronic Communications in Probability. ISSN: 1083-589X