

A Bound for the Distribution of the Hitting Time of Arbitrary Sets by Random Walk

Antal A Jarai, *Carleton University, Canada*

Harry Kesten, *Cornell University*

Abstract

We consider a random walk $S_n = \sum_{i=1}^n X_i$ with i.i.d. X_i . We assume that the X_i take values in \mathbb{Z}^d , have bounded support and zero mean. For $A \subset \mathbb{Z}^d$, $A \neq \emptyset$ we define $\tau_A = \inf\{n \geq 0: S_n \in A\}$. We prove that there exists a constant C , depending on the common distribution of the X_i and d only, such that $\sup_{\emptyset \neq A \subset \mathbb{Z}^d} P\{\tau_A = n\} \leq C/n$, $n \geq 1$.

Full text: [PDF](#) | [PostScript](#)

Pages: 152-161

Published on: November 17, 2004

Bibliography

1. S.R. Athreya and A.A. J arai. Infinite volume limit for the stationary distribution of Abelian sandpile models. *Commun. Math. Phys.* 249 (2004), 197-213. [Math. Review 2077255](#)
2. H. Dinges. Eine kombinatorische  berlegung und ihre ma theoretische Erweiterung. *Z. Wahrsch. verw. Gebiete* 1 (1963), 278-287. [Math. Review 28:2577](#)
3. A.A. J arai and F. Redig. Infinite volume limits of high-dimensional sandpile models. Preprint (2004). <http://arxiv.org/abs/math.PR/0408060>. Math. Review number not available.
4. H. Kesten and V. Sidoravicius. Branching random walk with catalysts. *Elec. J. Probab.* 8 (2003), paper #6. [Math. Review 2003m:60280](#)
5. F. Spitzer. *Principles of random walk*. Second edition. Graduate Texts in Mathematics. 34 (2001) Springer Verlag. [Math. Review 52:9383](#)

Research Support Tool

[Capture Cite](#)
[View Metadata](#)
[Printer Friendly](#)

▼ [Context](#)

[Author Address](#)

▼ [Action](#)

[Email Author](#)
[Email Others](#)