



Limit theorems for kernel density estimators under dependent samples

Yuexu Zhao, Zhengyan Lin

(Submitted on 25 May 2013 (v1), last revised 6 Jun 2013 (this version, v2))

In this paper, we construct a moment inequality for mixing dependent random variables, it is of independent interest. As applications, the consistency of the kernel density estimation is investigated. Several limit theorems are established: First, the central limit theorems for the kernel density estimator $f_{n,K}(x)$ and its distribution function are constructed. Also, the convergence rates of $\|f_{n,K}(x) - E f_{n,K}(x)\|_p$ in sup-norm loss and integral L^p -norm loss are proved. Moreover, the a.s. convergence rates of the supremum of $\|f_{n,K}(x) - E f_{n,K}(x)\|$ over a compact set and the whole real line are obtained. It is showed, under suitable conditions on the mixing rates, the kernel function and the bandwidths, that the optimal rates for i.i.d. random variables are also optimal for dependent ones.

Comments: 25 pages, 0 figures
 Subjects: **Statistics Theory (math.ST)**
 MSC classes: 62G07, 60G10, 60F15
 Cite as: **arXiv:1305.5882 [math.ST]**
 (or **arXiv:1305.5882v2 [math.ST]** for this version)

Submission history

From: Yuexu Zhao [view email]
[v1] Sat, 25 May 2013 03:03:02 GMT (22kb)
[v2] Thu, 6 Jun 2013 08:06:11 GMT (22kb)

Which authors of this paper are endorsers?

Link back to: [arXiv](#), [form interface](#), [contact](#).

Download:

- PDF
- PostScript
- Other formats

Current browse context:

math.ST

< prev | next >

new | recent | 1305

Change to browse by:

math
stat

References & Citations

- NASA ADS

Bookmark (what is this?)

