



# Adaptive confidence intervals for regression functions under shape constraints

T. Tony Cai, Mark G. Low, Yin Xia

(Submitted on 24 May 2013)

Adaptive confidence intervals for regression functions are constructed under shape constraints of monotonicity and convexity. A natural benchmark is established for the minimum expected length of confidence intervals at a given function in terms of an analytic quantity, the local modulus of continuity. This bound depends not only on the function but also the assumed function class. These benchmarks show that the constructed confidence intervals have near minimum expected length for each individual function, while maintaining a given coverage probability for functions within the class. Such adaptivity is much stronger than adaptive minimaxity over a collection of large parameter spaces.

Comments: Published in at [this http URL](#) the Annals of Statistics ([this http URL](#)) by the Institute of Mathematical Statistics ([this http URL](#))

Subjects: **Statistics Theory (math.ST)**

Journal reference: Annals of Statistics 2013, Vol. 41, No. 2, 722-750

DOI: [10.1214/12-AOS1068](#)

Report number: IMS-AOS-AOS1068

Cite as: [arXiv:1305.5673](#) [math.ST]

## Download:

- [PDF](#)
- [PostScript](#)
- [Other formats](#)

Current browse context:

math.ST

[< prev](#) | [next >](#)

[new](#) | [recent](#) | [1305](#)

Change to browse by:

[math](#)

[stat](#)

## References & Citations

- [NASA ADS](#)

## Bookmark([what is this?](#))

