



Simultaneous L^2 - and L^∞ -Adaptation in Nonparametric Regression

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Consider the nonparametric regression framework. It is a classical result that the minimax rates for L^2 - and L^∞ -risk over a H^β -older ball with smoothness index β are $n^{-(\beta/(2\beta+1))}$ and $(n/\log n)^{-(\beta/(2\beta+1))}$, respectively. By using a specific thresholding procedure, we construct an estimator that simultaneously achieves the optimal rates in L^2 and L^∞ without prior knowledge of β , i.e. it is simultaneously adaptive.

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