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非线性二阶边界阻尼的粘弹性方程解的能量衰减估计

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Energy decay estimation for the nonlinear viscoelastic equation with nonlinear second-order boundary damping

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摘要 讨论了具有非线性二阶边界阻尼的粘弹性方程混合问题. 利用\,Nakao\,不等式在阻尼项为一般 情况时得到了能量的指数衰减估计; 在阻尼项为多项式时得到了能量的代数衰减估计.

关键词： 能量衰减   粘弹性方程   非线性二阶边界阻尼   Nakao\,不等式

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Abstract： The exponential decay estimation of the energy for the nonlinear viscoelastic equation with general damped term was obtained by using Nakao's inequality, and the algebra decay estimation of the energy for the equation with polynomial damped term was given by the same inequality.

Key words： energy decay   nonlinear viscoelastic   nonlinear second-order boundary damping equation   Nakao's inequality

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