

n -double图的连通性

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Connectivity of n -double Graphs

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摘要 设 $G_1=(V_1, E_1)$, $G_2=(V_2, E_2)$ 是两个连通图, 直积(direct product) (也称为Kronecker product, tensor product 和cross product) $G_1 \otimes G_2$ 的点集为 $V(G_1 \otimes G_2) = V(G_1) \otimes V(G_2)$, 边集为 $E(G_1 \otimes G_2) = \{(u_1, v_1)(u_2, v_2): u_1 u_2 \in E(G_1), v_1 v_2 \in E(G_2)\}$. 简单图 G 的 n -double图 $D_n[G] = G \otimes T_n$, 其中 n 个点的全关系图 T_n 是完全图 K_n 在每个点加上一个自环得到的图. 在本文中, 我们研究了 $D_n[G]$ 的(边)连通性, 超(边)连通性.

关键词: n -double 图 (边)连通性 超(边)连通性

Abstract: Let $G=(V, E)$ be a connected graph. The direct product (also named Kronecker product, tensor product and cross product) $G_1 \times G_2$ has vertex set $V(G_1 \times G_2) = V(G_1) \times V(G_2)$ and edge set $E(G_1 \times G_2) = \{(u_1, v_1)(u_2, v_2): u_1 u_2 \in E(G_1), v_1 v_2 \in E(G_2)\}$. We define the n -double of a simple graph G as the graph $D_n[G] = G \times T_n$. The total graph T_n on n vertices is the graph associated to the total relation (where every vertex is adjacent to every vertex). It can be obtained from the complete graph K_n by adding a loop to every vertex. In this paper, we study the (edge)connectivity, super (edge)connectivity of $D_n[G]$.

Key words: n -double graphs (edge)connectivity super (edge)connectivity

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