## Mathematics > Combinatorics

## Uniquely dimensional graphs

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A set $\$ W$ subseteq $\mathrm{V}(\mathrm{G}) \$$ is called a resolving set, if for each two distinct vertices $\$ u, v \backslash i n ~ V(G) \$$ there exists $\$ w \backslash i n W \$$ such that $\$ d(u, w) \backslash n e q d(v, w) \$$, where $\$ \mathrm{~d}(\mathrm{x}, \mathrm{y}) \$$ is the distance between the vertices $\$ \mathrm{x} \$$ and $\$ \mathrm{y} \$$. A resolving set for $\$ G \$$ with minimum cardinality is called a metric basis.
A graph with a unique metric basis is called a uniquely dimensional graph. In this paper, we study some properties of uniquely dimensional graphs.

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