



On a Greedy 2-Matching Algorithm and Hamilton Cycles in Random Graphs with Minimum Degree at Least Three

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We describe and analyse a simple greedy algorithm \mathcal{G} that finds a good 2-matching M in the random graph $G = G_{n,cn}^{\{d \geq 3\}}$ when $c \geq 15$. A 2-matching is a spanning subgraph of maximum degree two and G is drawn uniformly from graphs with vertex set $[n]$, cn edges and minimum degree at least three. By good we mean that M has $O(\log n)$ components. We then use this 2-matching to build a Hamilton cycle in $O(n^{1.5+o(1)})$ time w.h.p.

Comments: Companion paper to "On a sparse random graph with minimum degree $\{three\}$: Likely Posa's sets are large"

Subjects: **Combinatorics (math.CO)**

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