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# Asymptotic behaviour of first passage time distributions for Lévy processes

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(Submitted on 22 Jul 2011)

Let  $X$  be a real valued Lévy process that is in the domain of attraction of a stable law without centering with norming function  $c$ . As an analogue of the random walk results in [\cite{vw}](#) and [\cite{rad}](#) we study the local behaviour of the distribution of the lifetime  $\zeta$  under the characteristic measure  $\underline{\nu}_n$  of excursions away from 0 of the process  $X$  reflected in its past infimum, and of the first passage time of  $X$  below 0,  $T_0 = \inf\{t > 0 : X_t < 0\}$ , under  $\mathbb{P}_x(\cdot)$  for  $x > 0$ , in two different regimes for  $x$ , viz.  $x = o(c(\cdot))$  and  $x > D c(\cdot)$ , for some  $D > 0$ . We sharpen our estimates by distinguishing between two types of path behaviour, viz. continuous passage at  $T_0$  and discontinuous passage. In the way to prove our main results we establish some sharp local estimates for the entrance law of the excursion process associated to  $X$  reflected in its past infimum.

Subjects: **Probability (math.PR)**

MSC classes: 60G51, 60G52, 60F99

Cite as: **arXiv:1107.4415 [math.PR]**

(or **arXiv:1107.4415v1 [math.PR]** for this version)

## Submission history

From: Victor Rivero [[view email](#)]

[v1] Fri, 22 Jul 2011 04:45:13 GMT (26kb)

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