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## The Hitting Times with Taboo for a Random Walk on an Integer Lattice

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For a symmetric, homogeneous and irreducible random walk on d-dimensional integer lattice $Z^{\wedge}$ d, having zero mean and a finite variance of jumps, we study the passage times (with possible infinite values) determined by the starting point $x$, the hitting state $y$ and the taboo state $z$. We find the probability that these passages times are finite and analyze the tails of their cumulative distribution functions. In particular, it turns out that for the random walk on $Z^{\wedge} d$, except for a simple (nearest neighbor) random walk on Z, the order of the tail decrease is specified by dimension d only. In contrast, for a simple random walk on $Z$, the asymptotic properties of hitting times with taboo essentially depend on the mutual location of the points $x, y$ and $z$. These problems originated in our recent study of branching random walk on $Z^{\wedge} d$ with a single source of branching.

## Subjects: Probability (math.PR)

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