

Banach空间中有限个增生算子公共零点的带误差项的迭代逼近

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摘要 令 E 为实一致凸Banach空间, 满足Opial条件或其范数是Frechet可微的. 令 $A_i \subset E \times E$, $i = 1, 2, \dots, k$ 为增生算子, 满足值域条件且 $\bigcap_{i=1}^k A_i^{-1} \setminus \{0\} \neq \emptyset$. 令 $C \subset E$ 为非空闭凸子集且满足

$\overline{D(A_i)} \subset C \subset \bigcap_{r>0} R(I+rA_i)$, $i = 1, 2, \dots, k$. 将引入新的带误差项的迭代算法并证明迭代序列弱收敛于 $\{A_i\}_{i=1}^k$ 的公共零点.

关键词 [保核收缩映射](#), [增生算子](#), [一致凸Banach空间](#), [Opial条件](#).

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Iterative Approximation with Errors of Common Zero Points for a Finite Family of Accretive Operators in Banach Space

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Abstract Let E be a real uniformly convex Banach space which satisfies Opial's condition or the norm of which is Frechet differentiable. For $i = 1, 2, \dots, k$, let $A_i: E \rightarrow E$ be accretive operators satisfying the range condition and $\bigcap_{i=1}^k A_i^{-1} \setminus \{0\} \neq \emptyset$. Let $C \subset E$ be a nonempty closed convex set and satisfy that $\overline{D(A_i)} \subset C \subset \bigcap_{r>0} R(I+rA_i)$, for $i = 1, 2, \dots, k$. A new iterative algorithm with errors is introduced and proved to be weakly convergent to common zero points of accretive operators $\{A_i\}_{i=1}^k$.

Key words [Retraction mapping](#) [accretive operator](#) [uniformly convex Banach space](#) [Opial's condition](#).

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