

论文

非线性变换和守恒律方程的非自相似解

杨小舟

汕头大学数学系 汕头

摘要:

该文提出了一种非线性变换把一类n维单守恒律方程和初值同时降维为一维, 得到非自相似形式的全局解和基本波的表达式, 并发现了非自相似解和相似解之间的本质性差别和联系

关键词: 非自相似解; 高维守恒律方程; 激波; 稀疏波

分类号:

35L65; 35L67

Nonlinear Transformation and Non selfsimilar Solution of Conservation Laws

YANG Xiao-Zhou

Abstract:

The author proposes a kind of nonlinear transformation, under which the n dimensional scalar conservation laws and its initial value are transformed into one dimensional situation at the same time. The non selfsimilar global solution and the expression of elementary wave are obtained. The author also discovers the essential difference and connection between non selfsimilar and selfsimilar solutions.

Keywords: Non selfsimilar solution Multi dimensional conservati on laws Shock wave Rarefaction wave

收稿日期 修回日期 网络版发布日期

DOI:

基金项目:

国家自然科学基金(10001023), 霍英东基金(81004), 教育部留学回国人员科研启动基金, 国家留学基金, 广东省自然科学基金(000804)和广东省教育厅自然科学基金项目(200030)资助

通讯作者:

作者简介:

参考文献:

[1] Chung T, Hsiao L. The Riemann Problem and Iteration of Waves in Gas Dynamics. Harlow: Longman Scientific & Technical, 1989

[2] Chen G Q, Li D N, Tan D C. Structure of Riemann solutions for 2 dimensional scalar conservation laws. J Differential Equations, 1996, 127: 124-147

[3] Conway E, Smoller J. Global solutions of the Cauchy problem for quasi linear first order equations in several space variables. Comm Pure Appl Math, 1966, 19: 95-105

[4] Guckenheimer J. Shocks and rarefactions in two space dimensions. Arch Rational Mech Anal, 1975, 59: 281-291

扩展功能

本文信息

- ▶ Supporting info
- ▶ PDF (368KB)
- ▶ [HTML全文]
- ▶ 参考文献

服务与反馈

- ▶ 把本文推荐给朋友
- ▶ 加入我的书架
- ▶ 加入引用管理器
- ▶ 引用本文
- ▶ Email Alert
- ▶ 文章反馈
- ▶ 浏览反馈信息

本文关键词相关文章

- ▶ 非自相似解; 高维守恒律方程; 激波; 稀疏波

本文作者相关文章

- ▶ 杨小舟

PubMed

- ▶ Article by Yang, X. Z.

[5]Katsoulakis M A, Tzavaras A E. Contractive relaxation systems and interacting particles for scalar conservation laws. C R Acad Sci Paris Ser I Math, 1996, 323 (8): 865-870

[6]Kruzkov S N. Generalized solutions of the Cauchy problem in the large for nonlinear equations of first order. Soviet Math Dokl, 1969,10: 785-788

[7]Lindquist W B. The Scalar Riemann problem in two spatial dimensions: Piecewise Smoothness of Solutions and its Breakdown. SIAM J Math Anal, 1986, 17:1178-1197

[8]Lions P L, Perthame B, Tadmor E. Kinetic formulation of multidimensional scalar conservation laws. C R Acad sci Paris Ser I Math, 1991, 312(1): 97-102

[9]Wagner D, Riemann problem in two space dimensions for a single conservation law. SIAM J Math Anal, 1983,14: 534-559

[10]Zhang T, Zheng Y X. Two dimensional Riemann problem for a single conservation law. Trans Amer Math Soc, 1989, 312: 589-619

[11]Zhang P, Zhang T. Generalized characteristic analysis and Guckenheimer structure. J Differential Equations, 1999, 152(2): 409-430

[12]Zheng Y X. Systems of Conservation laws, Two dimensional Riemann Problems, Progress in Nonlinear Differential Equations and their Applications. Boston: Birkhauser Inc, 2001

本刊中的类似文章

文章评论 (请注意:本站实行文责自负, 请不要发表与学术无关的内容!评论内容不代表本站观点.)

反馈人	<input type="text"/>	邮箱地址	<input type="text"/>
反馈标题	<input type="text"/>	验证码	<input type="text"/> 9471