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论文

具有时滞的生态流行病模型的稳定性和Hopf分支

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摘要:

该文考虑一类食饵染病的时滞捕食被捕食模型. 作者分析了系统的非负不变性, 边界平衡点的性质和全局稳定性. 证明了当时滞 $\tau=\tau_1-1+\tau_2-2$ 适当小时, 正平衡点是局部渐近稳定的, 随着时滞的增加, 正平衡点由稳定变为不稳定, 系统在正平衡点附近发生Hopf分支.

关键词: 捕食模型 全局稳定性; Hopf分支.

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Stability and Hopf Bifurcation of an Eco epidemiological Model with Delays

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Abstract:

A system of retarded functional differential equations is proposed as a predator-prey model with disease in the prey. The invariance of non negativity, nature of boundary equilibria and global stability are analyzed. The authors show that positive equilibrium is locally asymptotically stable when time delays $\tau=\tau_1-1+\tau_2-2$ is suitable small, while a loss of stability by a Hopf bifurcation can occur as the delays increase.

Keywords: Predator-prey model Global stability; Hopf bifurcation.

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参考文献:

[1] Hethcote H W. A thousand and one epidemic models. In: S A Levin, ed. *Frontiers in Mathematical Biology*, Lecture Notes in Biomathematics 100, Berlin/Heidelberg, New York: Springer Verlag, 1994. 504-515

[2] Anderso R M, May R M. *Infectious Disease of Humans, Dynamics and Control*. London: Oxford University Press, 1991

[3] Bailey N J T. *The Mathematical Theory of Infectious Disease and Its Applications*. London: Griffin, 1975

[4] Diekmann O, Hessterbeck J A P, Metz J A J. The legacy of Kermack and McKendrick. In: D Mollison, ed. *Epidemic Models: Their Structure and Relation to Data*. Cambridge: Cambridge University

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[5]Hadeler K P, Freedman H I. Predator-prey population with parasitic infection. *J Math Biol.* 1989, 27: 609-631

[6]Chattopadhyay J, Arino O. A predator-prey model with disease in the prey. *Nonlinear Anal.* 1999, 36: 749-766

[7]Venturino E. The influence of disease on Lotka-Volterra system. *Rockymount. J Math.* 1994, 24: 389-402

[8]Xiao Y N, Chen L S. Modeling and analysis of a predator-prey model with disease in the prey. *Math Biosci.* 2001, 171(1): 59-82

[9]Holmes J C, Bethel W M. Modification of intermediate host behavior by parasites. In: E V Canning, C A Wright, eds. *Behavioural Aspects of Parasite Transmission Zool f Linnean Soc.* 1972, 51(1): 123-149

[10]Peterson R O, Page R E. Wolf density as a predictor of predator rate. *Swedish Wildlife Research Suppl.* 1987, 1: 771-773

[11]Wang W D, Chen L S. A predator-prey system with stage structure for predator. *Comp Math Appl.* 1997, 33(8): 83-91

[12]Zhao T, Kuang Y, Smith H L. Global existence of periodic solution in a class delayed Gauss-type predator-prey systems. *Nonlinear Anal.* 1997, 28: 1373-1394

[13]Anderson R M, May R M. The population dynamics of microparasites and their invertebrate hosts. *Proc Roy Soc Lond B.* 1981, 291: 451-463

[14]Yang X, Chen L S, Chen J F. Permanence and positive periodic solution for the single-species nonautonomous delay diffusive model. *Comput Math Appl.* 1996, 32: 109-116

[15]Gopalsamy K. *Stability and Oscillation in Delay Differential Equations of Population Dynamics.* A Dordrecht, The Netherlands: Kluwer Academic Publishers, 1992

[16]Freedman H I, Sree Hari Rao V. The trade-off between mutual interference and time lags in predator-prey systems. *Bull Math Biol.* 1983, 45: 991-1003

[17]Hale J K. *Theory of Functional Differential Equations.* New York: Springer Verlag, 1977

[18]Hassard B D, Kazarinoff N D, Wan Y N. In: *Theory and Application of Hopf Bifurcation,* eds. Cambridge: Cambridge University, 1981

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