

Computing the obstacle number of a plane graph

Matthew P. Johnson, Deniz Sariöz

(Submitted on 22 Jul 2011 (v1), last revised 12 Aug 2011 (this version, v2))

An obstacle representation of a plane graph G is $V(G)$ together with a set of opaque polygonal obstacles such that G is the visibility graph on $V(G)$ determined by the obstacles. We investigate the problem of computing an obstacle representation of a plane graph (ORPG) with a minimum number of obstacles. We call this minimum size the obstacle number of G .

First, we show that ORPG is NP-hard by reduction from planar vertex cover, resolving a question posed by [8]. Second, we give a reduction from ORPG to maximum degree 3 planar vertex cover. Since this reduction preserves solution values, it follows that ORPG is fixed parameter tractable (FPT) and admits a polynomial-time approximation scheme (PTAS).

Comments: 7 pages, 3 figures

Subjects: **Computational Geometry (cs.CG)**; Discrete Mathematics (cs.DM); Data Structures and Algorithms (cs.DS); Combinatorics (math.CO)

MSC classes: 68R10, 05C10, 05C62, 65D18

ACM classes: F.2.2; G.2.2

Cite as: [arXiv:1107.4624](https://arxiv.org/abs/1107.4624) [cs.CG]

(or [arXiv:1107.4624v2](https://arxiv.org/abs/1107.4624v2) [cs.CG] for this version)

Submission history

From: Deniz Sariöz [[view email](#)]

[v1] Fri, 22 Jul 2011 20:43:21 GMT (14kb)

[v2] Fri, 12 Aug 2011 18:43:00 GMT (14kb)

Which authors of this paper are endorsers?

Download:

- [PDF](#)
- [PostScript](#)
- [Other formats](#)

Current browse context:

cs.CG

[< prev](#) | [next >](#)

[new](#) | [recent](#) | [1107](#)

Change to browse by:

cs

[cs.DM](#)

[cs.DS](#)

math

[math.CO](#)

References & Citations:

- [NASA ADS](#)

DBLP - CS Bibliography:

[listing](#) | [bibtex](#)

[Matthew P. Johnson](#)

[Deniz Sariöz](#)

[Deniz Sariöz](#)

Bookmark (what is this?)



Science
WISE