



Weyl-Schouten Theorem for symmetric spaces

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Let N be a symmetric space of dimension $n > 5$ whose de Rham decomposition contains no factors of constant curvature and let W be the Weyl tensor of N at some point. We prove that a Riemannian manifold whose Weyl tensor at every point is a positive multiple of W is conformally equivalent to N (the case $N = \mathbb{R}^n$ is the Weyl-Schouten Theorem).

Comments: Changed some proofs; corrected typos

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